



N O R T H W E S T E R N
U N I V E R S I T Y

MSIT | Master of Science in Information Technology

MSIT 413: Wireless Technologies

Week 3

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Why Study Radio Propagation?

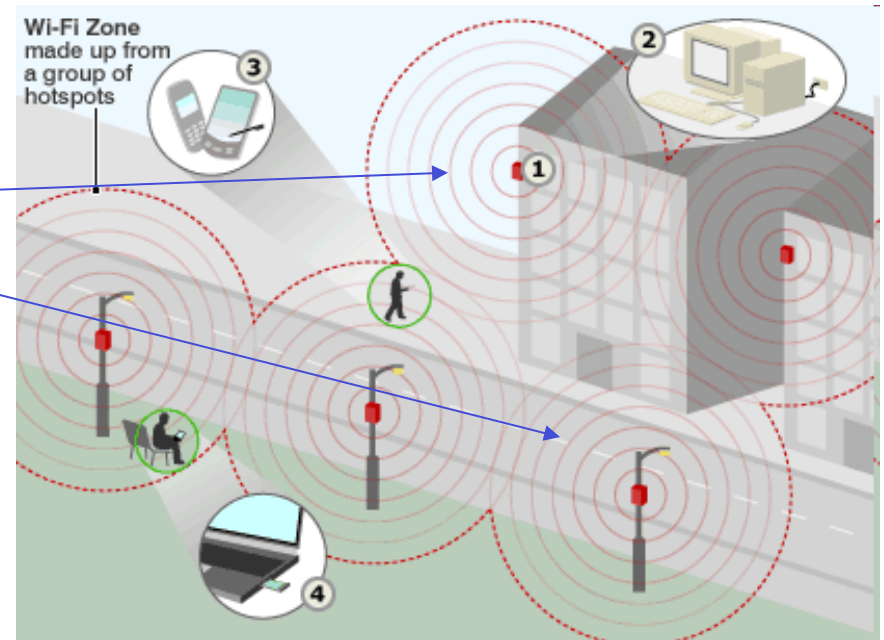
- To determine **coverage**

Can we use the same channels?

- Must determine **path loss**

– Function of

- Frequency
- Distance
- Terrain (office building, urban, hilly, rural, etc.)



Need “large-scale” models



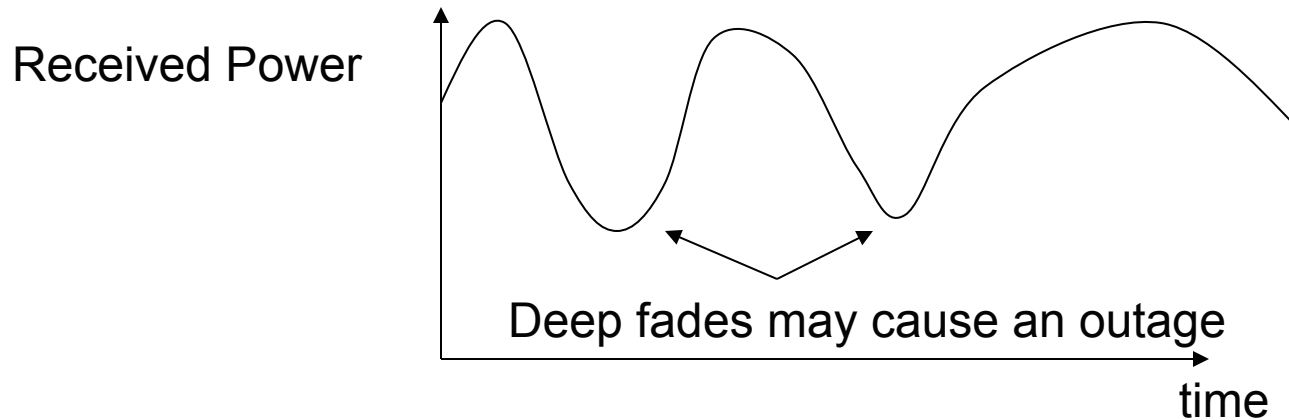
Why Study Radio Propagation?





Why Study Radio Propagation?

- To enable **robust** communications



- How can we guarantee reliable communications?
- What data rate can we provide?
- Must determine **signal statistics**:
 - Probability of outage
 - Duration of outage

Need “small-scale” models



Will provide answers to...

- What are the major causes of attenuation and fading?
- Why does the achievable data rate decrease with mobility?
- Why are wireless systems evolving to wider bandwidths (spread spectrum and OFDM)?
- Why does the accuracy of location tracking methods increase with wider bandwidths?

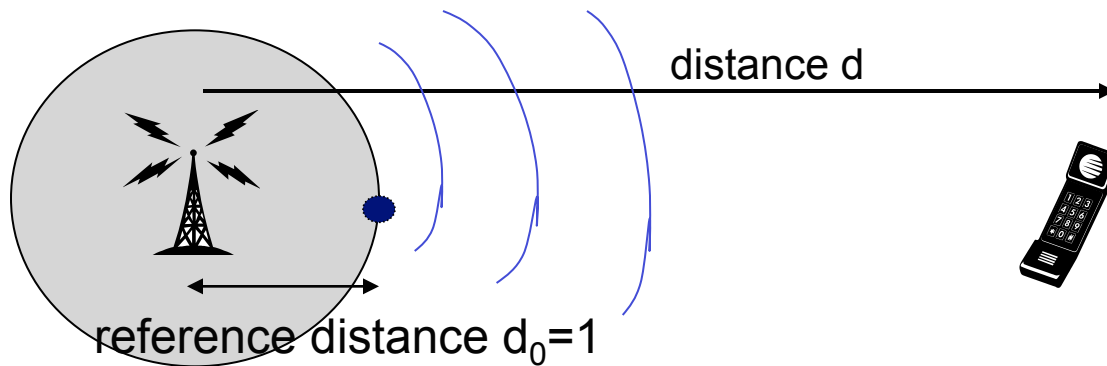


Propagation Key Words

- Large-scale effects
 - Path-loss exponent
 - Shadow fading
- Small-scale effects
 - Rayleigh fading
 - Doppler shift and Doppler spectrum
 - Coherence time / fast vs slow fading
- Narrowband vs wideband signals
- Multipath delay spread and coherence bandwidth
- Frequency-selective fading and frequency diversity



Propagation Mechanisms: 1. Free Space



Received power $P_r \approx P_0 \left(\frac{d}{d_0} \right)^{-n}$

Reference power at reference distance d_0

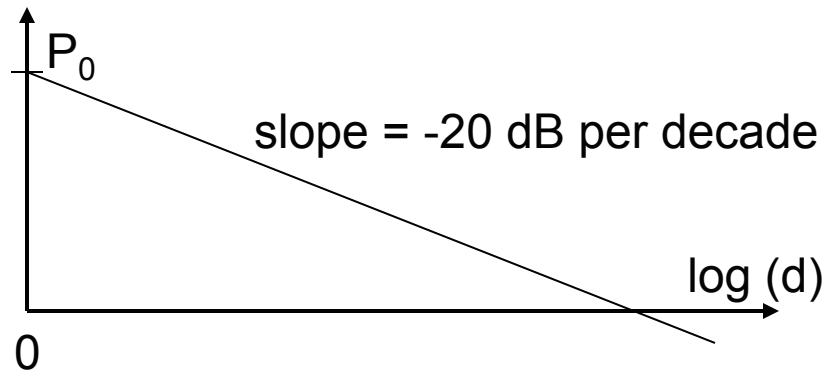
Path loss exponent = 2

In dB: $P_r = P_0 \text{ (dB)} - 20 \log (d)$

$$P_0 = G_t G_r \left(\frac{\lambda}{4\pi} \right)^2$$

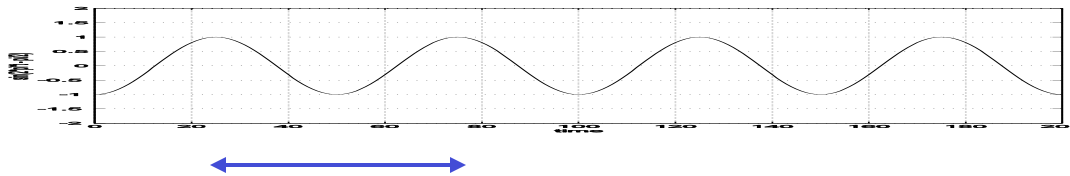
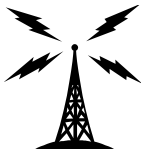
↑ antenna gains ↑ wavelength

$P_r \text{ (dB)}$





Wavelength



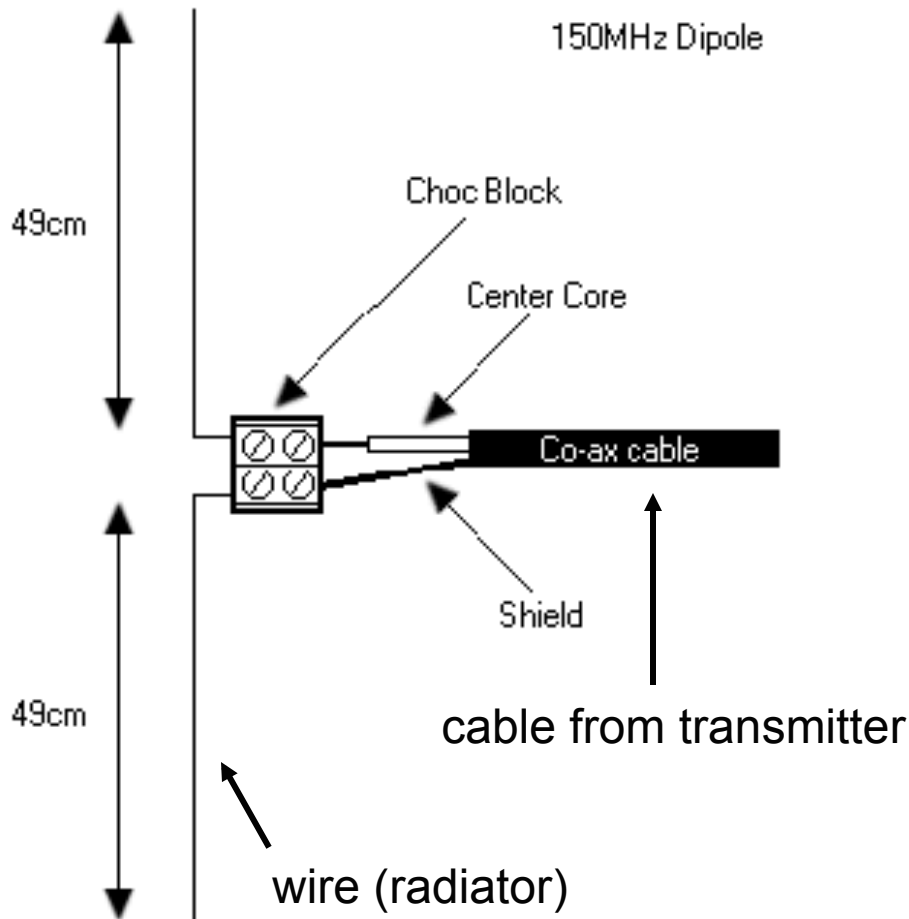
$$\lambda \text{ (meters)} = c \text{ (speed of light)} / \text{frequency}$$

- Wavelength \gg size of object \rightarrow signal penetrates object.
- Wavelength \ll size of object \rightarrow signal is absorbed and/or reflected by object.
- **Large-scale effects** refers to propagation over distances of many wavelengths.

Small-scale effects refers to propagation over a distances of a fraction of a wavelength.



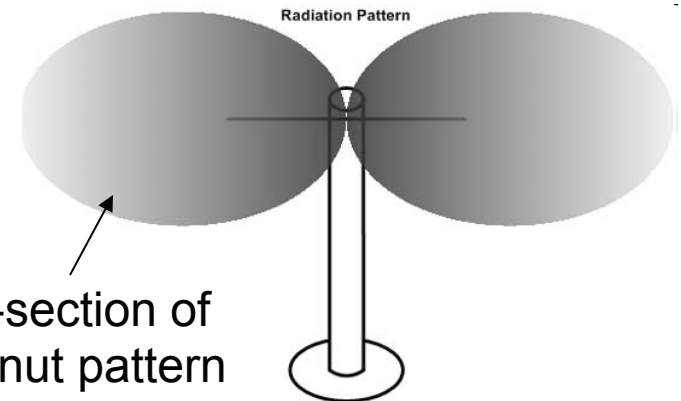
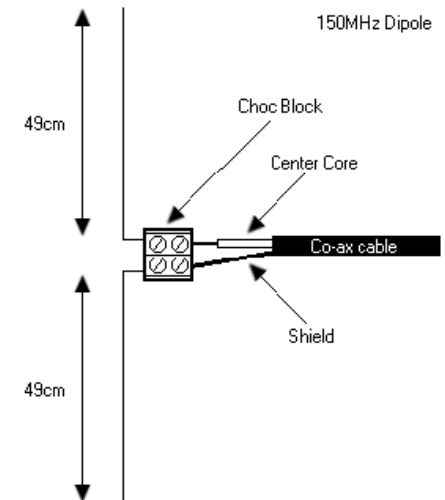
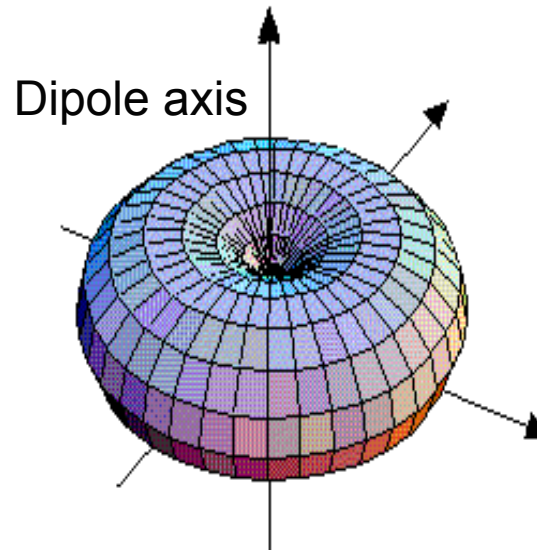
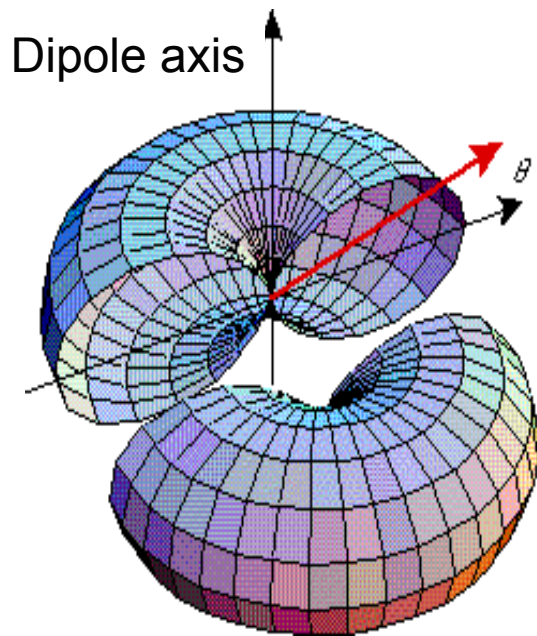
Dipole Antenna



802.11 dipole antenna



Radiation Pattern: Dipole Antenna



Electromagnetic wave radiates out from the dipole axis.



Attenuation: Wireless vs. Wired

Unshielded Twisted Pair

- Path loss ~ 13 dB / 100 m or 130 dB / 1 km
 - Increases linearly with distance
- Requires repeaters for long distances

1 GHz Radio (free space)

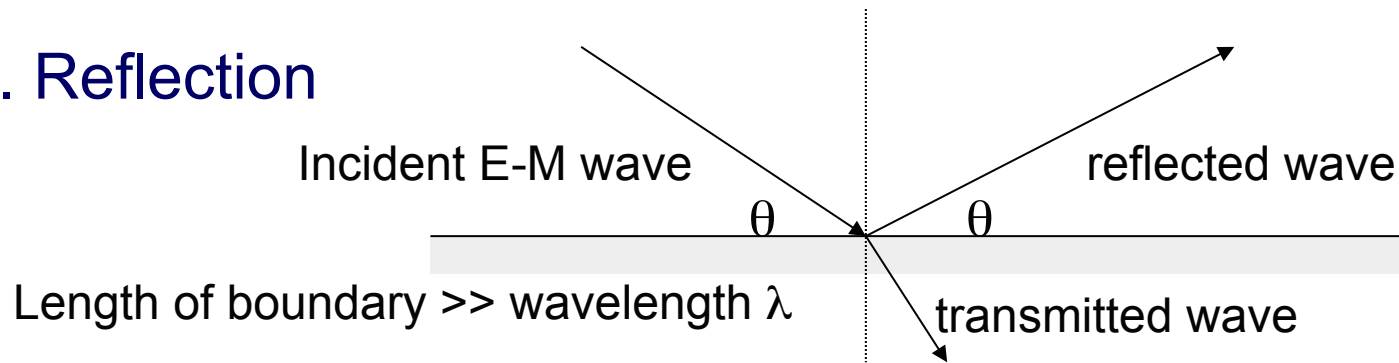
- Path loss ~ 30 dB for the first meter + 20 dB / decade
 - 70 dB / 100 meters (2 decades)
 - 90 dB / 1 km (3 decades)
 - 130 dB / 100 km!
 - Increases as **log** (distance)
- Repeaters are infeasible for satellites

Short distance → Wired has less path loss.
Large distance → Wireless has less path loss.

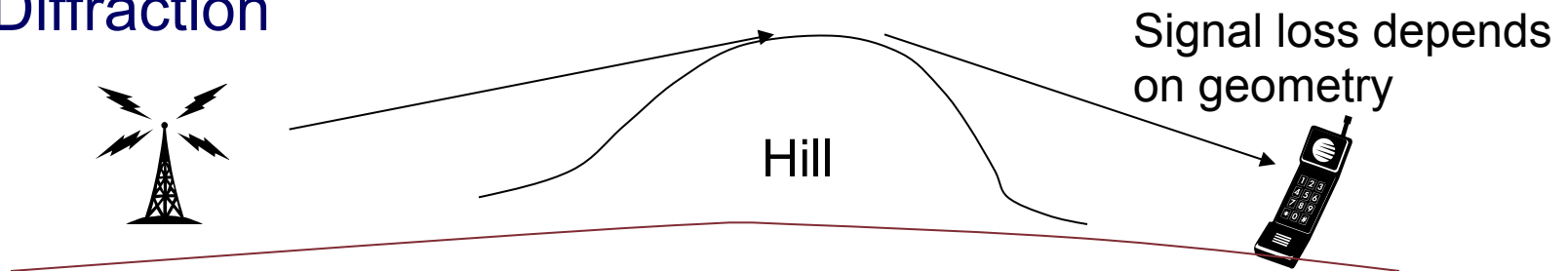


Propagation Mechanisms

2. Reflection



3. Diffraction



4. Scattering



Why Use > 500 MHz?



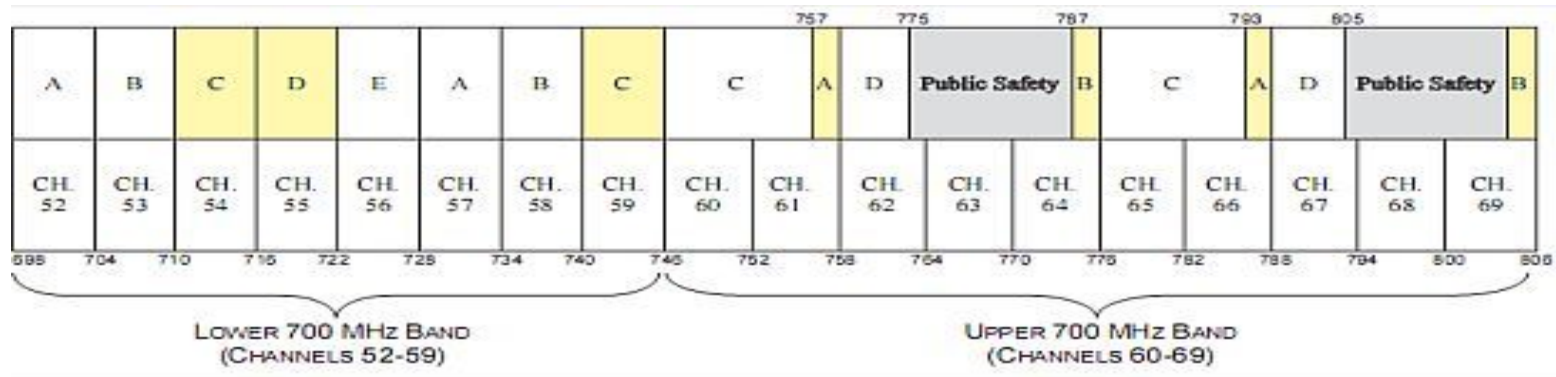
Why Use > 500 MHz?

- There is more spectrum available above 500 MHz.
- Lower frequencies require larger antennas
 - Antenna dimension is on the order of a wavelength = (speed of light/frequency)
= 0.6 M @ 500 MHz
- Path loss increases with frequency for the first meter
 - 10's of GHz: signals are confined locally
 - More than 60 GHz: attenuation is too large (oxygen absorbs signal)



700 MHz Auction

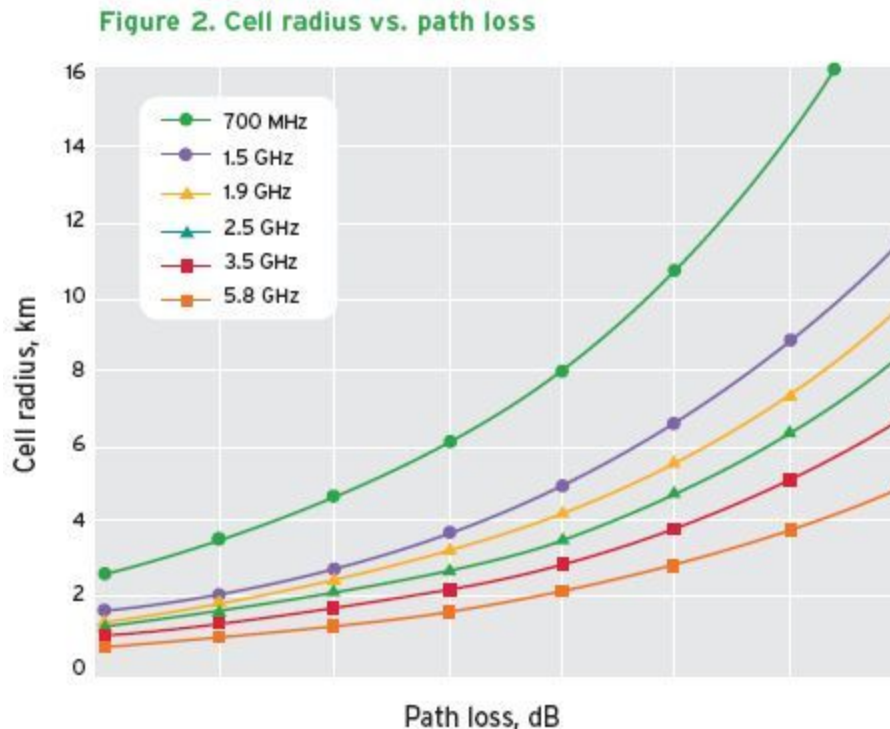
- Broadcast TV channels 52-69 relocated in Feb. 2009.
 - 6 MHz channels occupying 698 – 806 MHz
- Different bands were auctioned separately:
 - “A” and “B” bands: for exclusive use (like cellular bands)
 - “C” band (11 MHz): must support open handsets, software apps
 - “D” band (5 MHz): shared with public safety (has priority)
- Commenced January 24, 2008, ended in March





Why all the Hubbub?

- This band has excellent propagation characteristics for cellular types of services (“beach-front property”).
- Rules for spectrum sharing can be redefined...





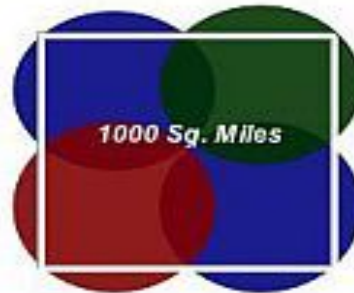
700 MHz Offers the Only Affordable Network Solution in Sparsely Populated Areas

| | 700 MHz Propagation | 1900 MHz Propagation | 2400 MHz Propagation |
|---|---------------------|----------------------|----------------------|
| Total Network cost @ \$150k/cell | \$150,000 | \$600,000 | \$1,500,000 |
| Network Cost per Customer | \$180 | \$725 | \$1820 |
| # Mos. to Network Cost Breakeven | 9 Months | 36 Months | 91 Months |

Cell Site Coverage per thousand square miles



700 MHz Coverage



1900 MHz Coverage



2400 MHz Coverage



C Band Debate

- Service providers in the U.S. did not allow any services, applications, or handsets from unauthorized 3rd party vendors.
- Google asked the FCC to stipulate that whoever wins the spectrum must support open applications, open devices, open services, open networks (net neutrality for wireless).
- Verizon wants to maintain “walled-garden”.
- FCC stipulated open applications and devices, but not open services and networks:
spectrum owner must allow devices or applications to connect to the network as long as they do not cause harm to the network
- Aggressive build-out requirements:
 - *Significant coverage requirement in four years, which continues to grow throughout the 10-year term of the license.*

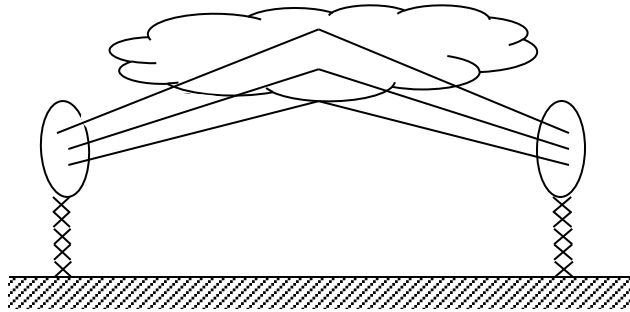


Sold to...

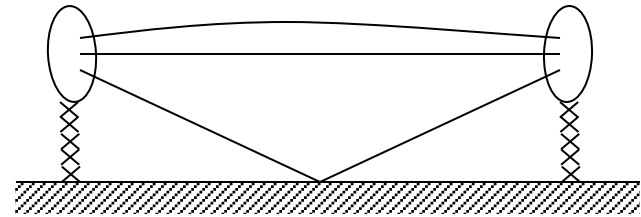
- Verizon
- Other winners: AT&T (B block),
Qualcomm (B, E blocks)
- Total revenue: \$19.6 B
 - \$9.6 B from Verizon, \$6.6 B from AT&T
- Implications for open access, competition?



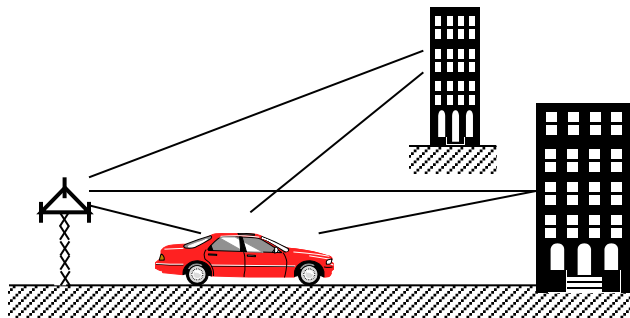
Radio Channels



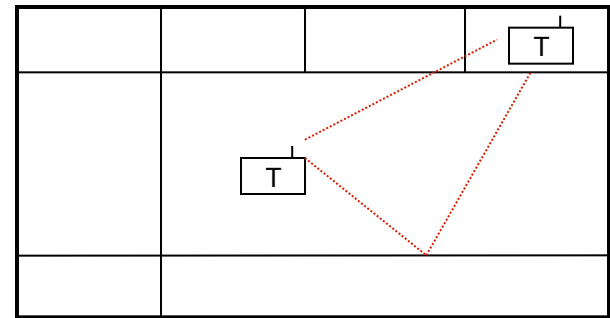
Troposcatter



Microwave LOS



Mobile radio



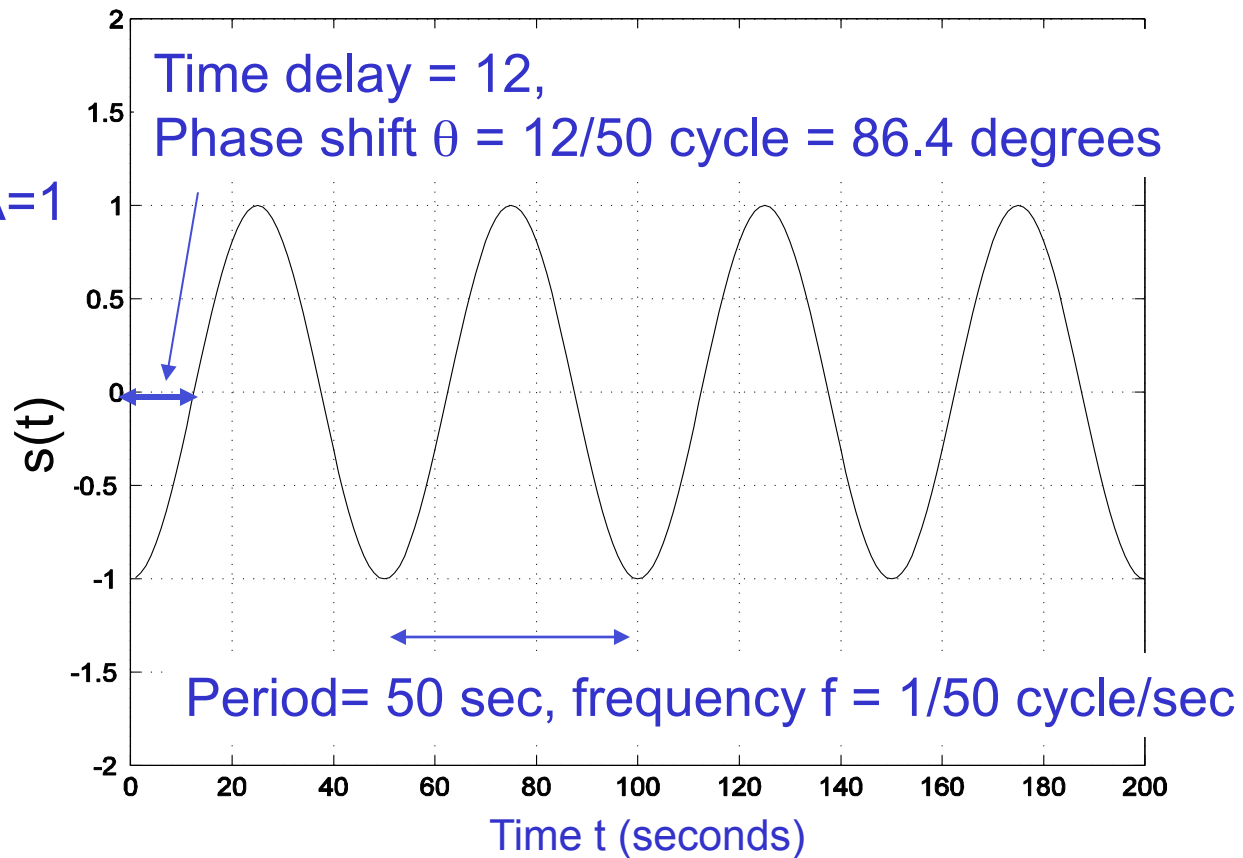
Indoor radio



Sinusoidal Signal

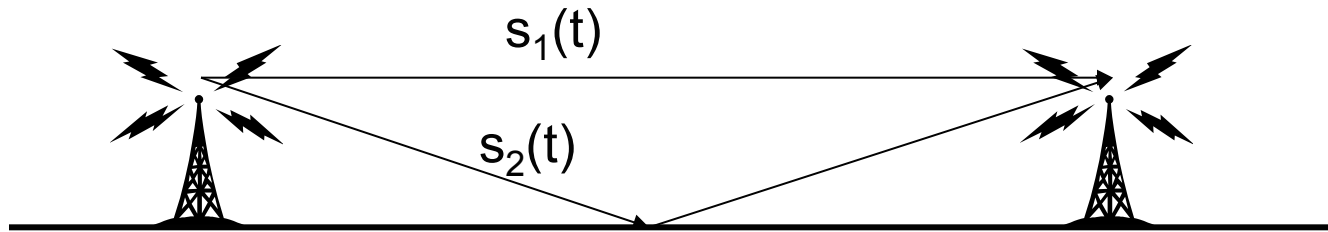
Electromagnetic wave $s(t) = A \sin(2\pi f t + \theta)$

Amplitude $A=1$





Two Signal Paths



Received signal $r(t) = s_1(t) + s_2(t)$

Suppose $s_1(t) = \sin 2\pi f t$.

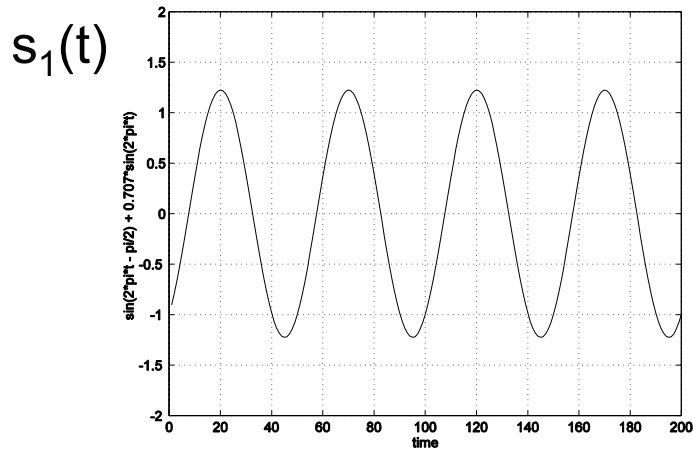
Then $s_2(t) = h s_1(t - \tau) = h \sin 2\pi f (t - \tau)$

↑
attenuation
(e.g., h could be $\frac{1}{2}$)

↗
delay
(e.g., τ could be 1 microsec.)

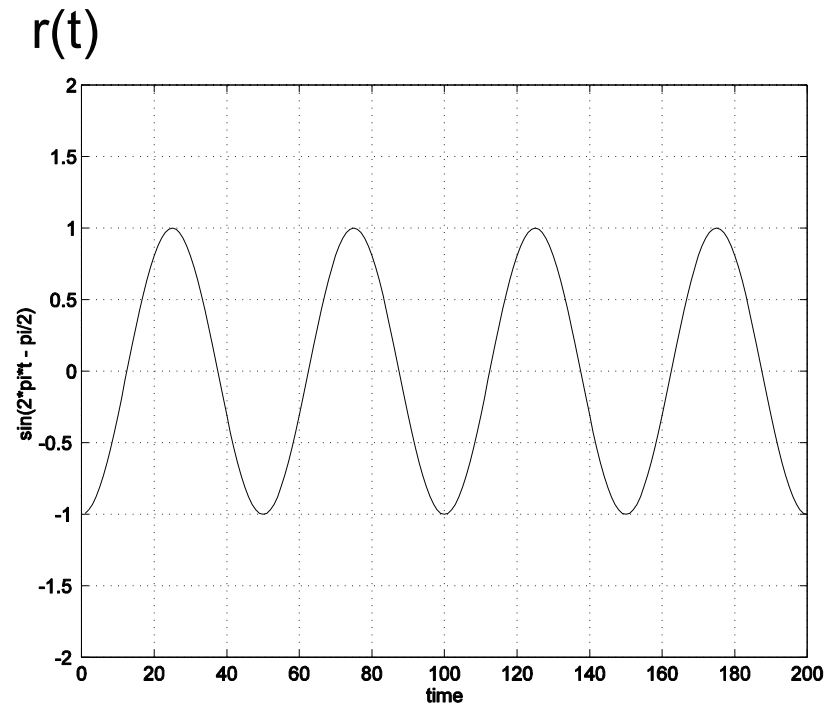
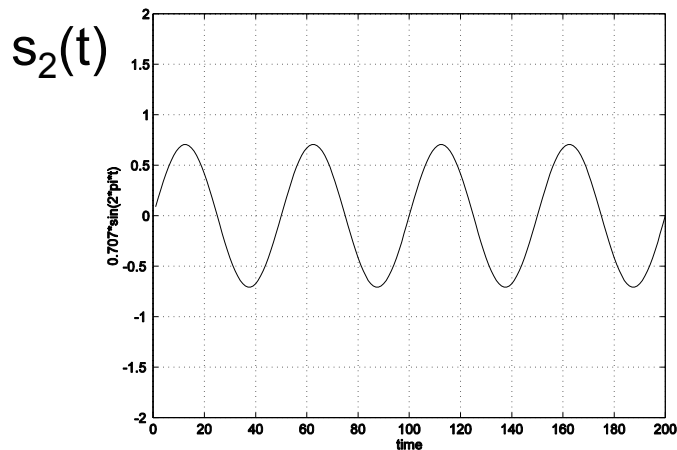


Sinusoid Addition (Constructive)



+

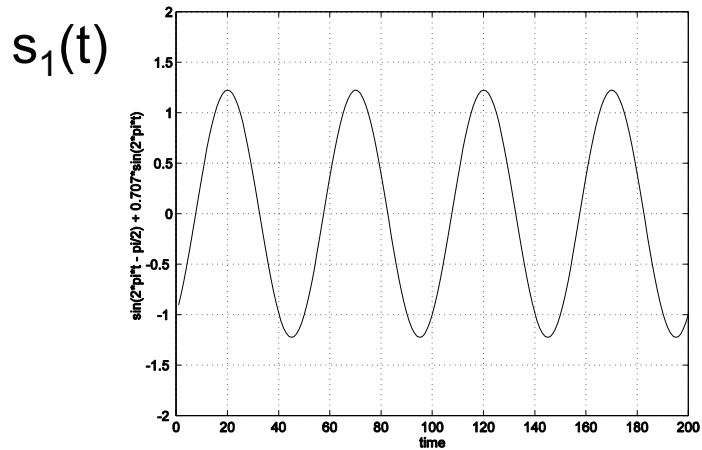
=



Adding two sinusoids with the same frequency gives another sinusoid with the same frequency!

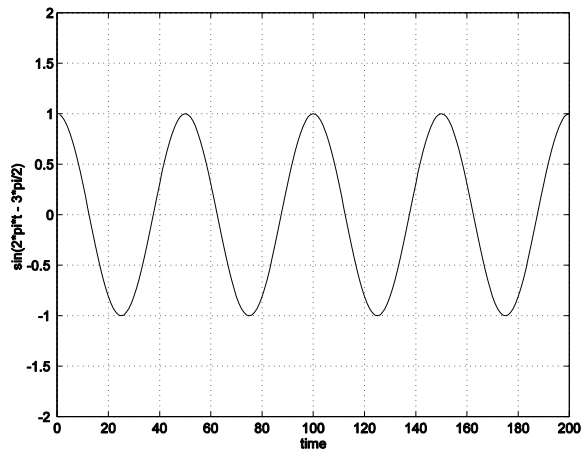


Sinusoid Addition (Destructive)

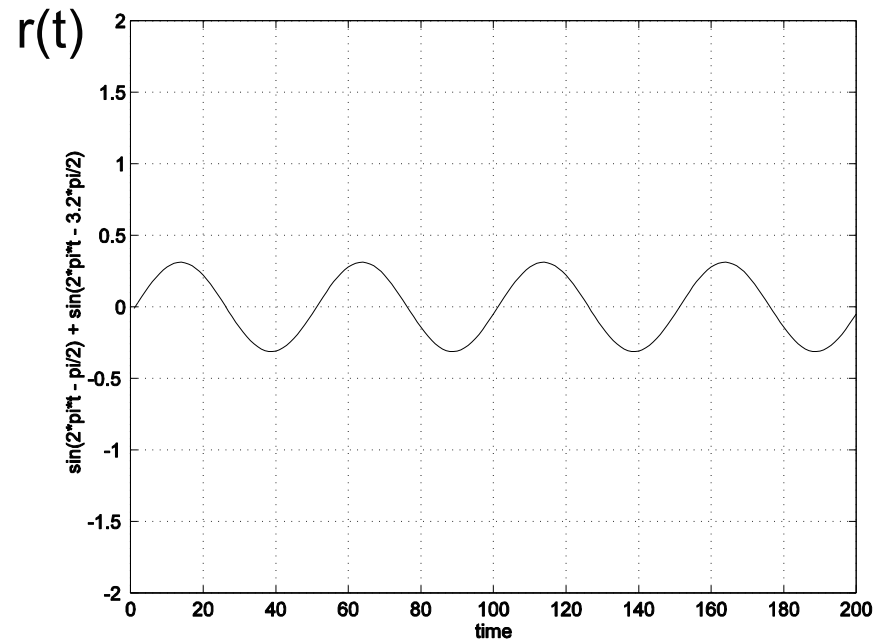


$s_2(t)$

+



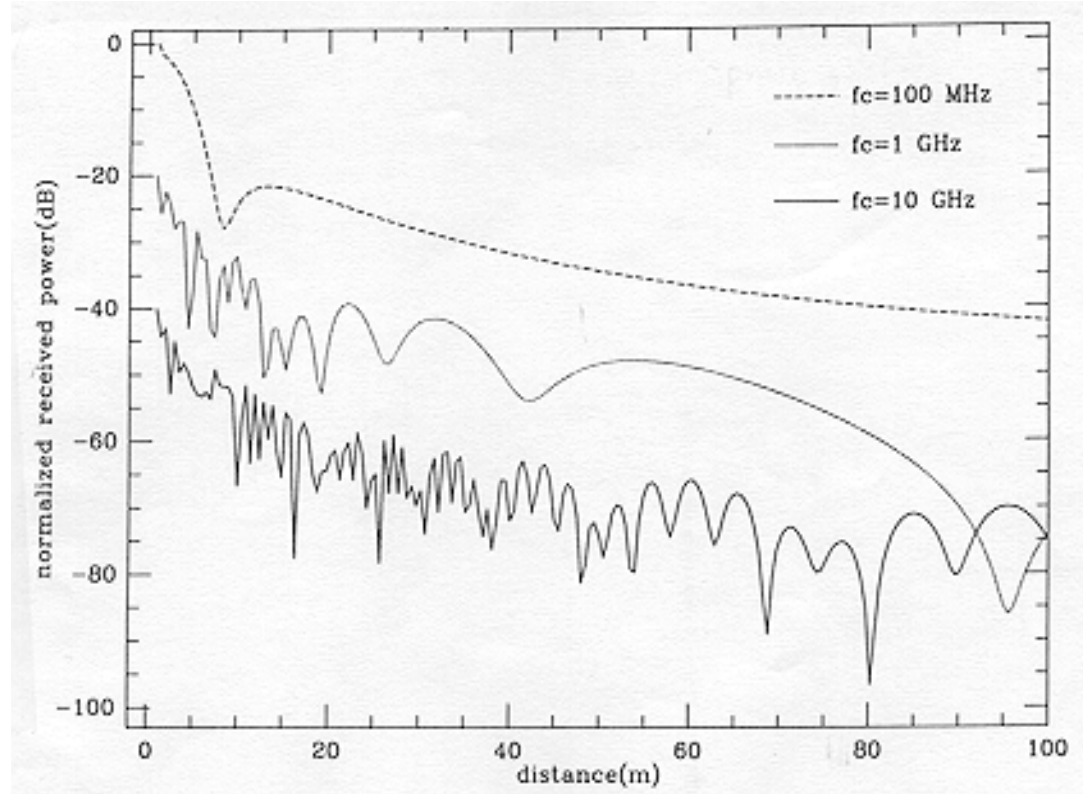
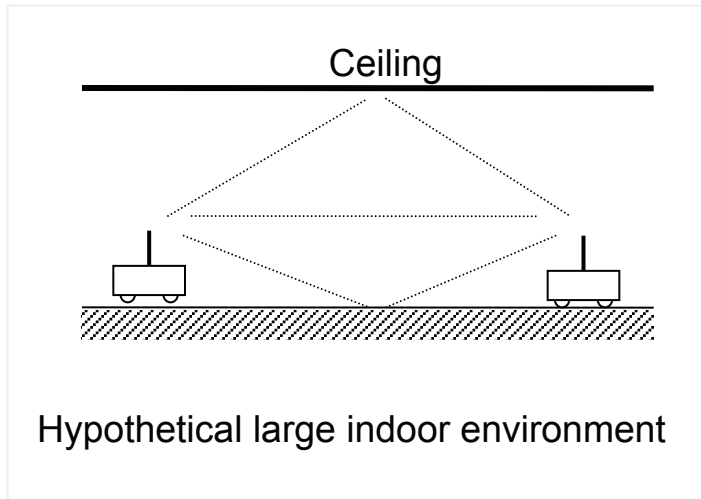
=



Signal is faded.



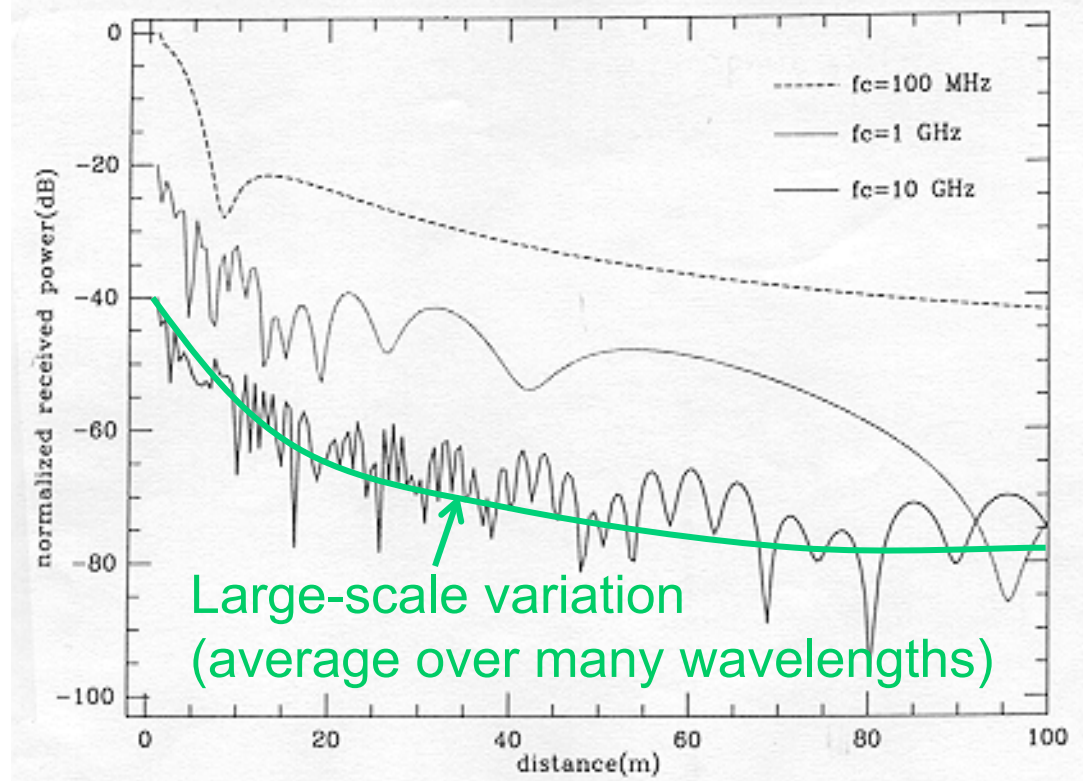
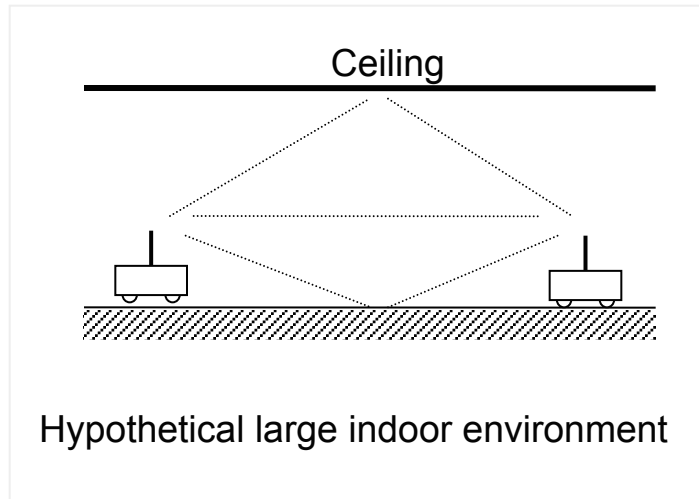
Indoor Propagation Measurements



Normalized received power vs. distance

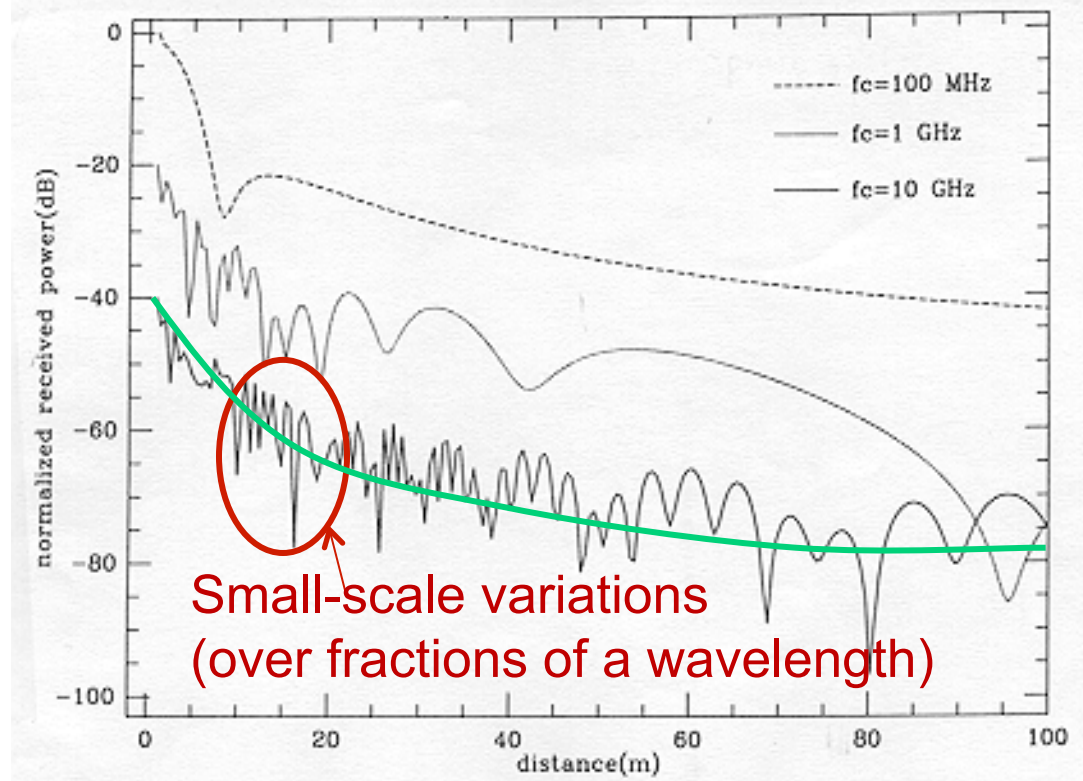
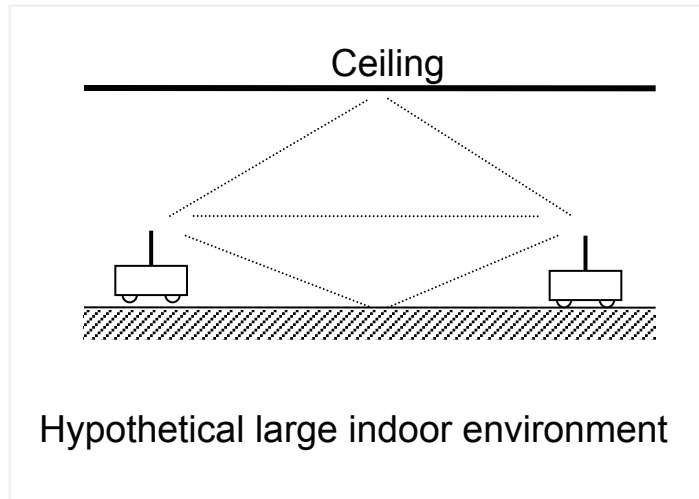


Indoor Propagation Measurements



Normalized received power vs. distance

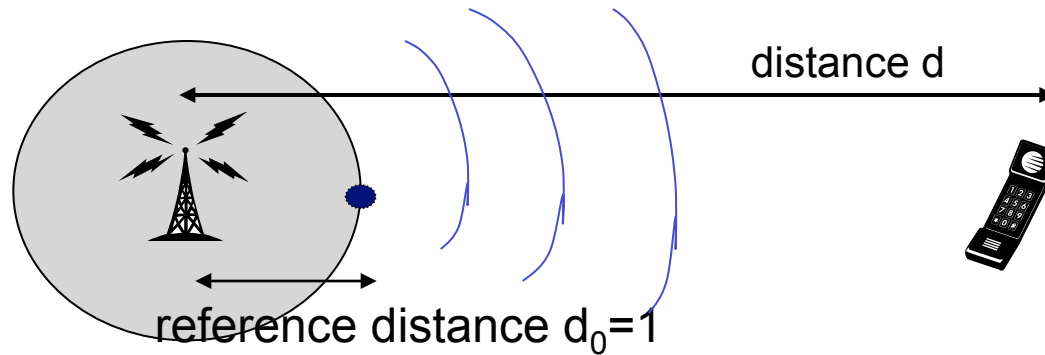
Indoor Propagation Measurements



Normalized received power vs. distance



Power Attenuation



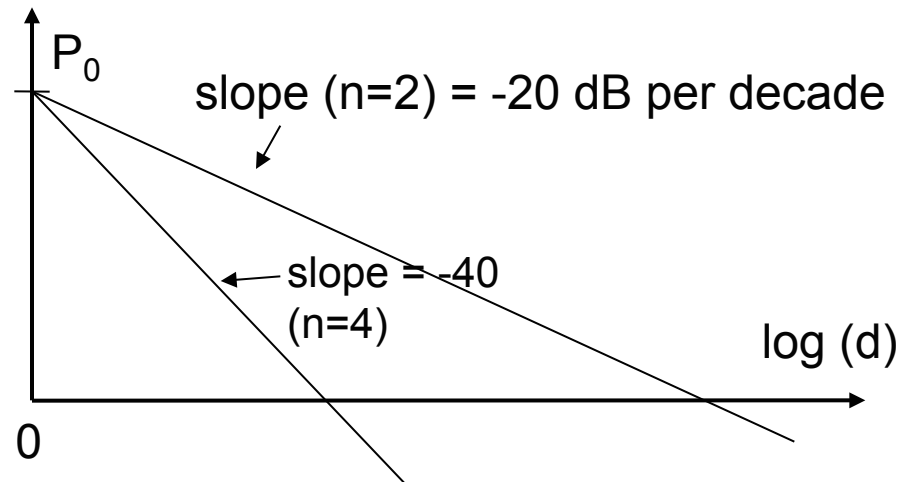
$$\text{Received power } P_r \approx P_0 \left(\frac{d}{d_0} \right)^{-n}$$

Reference power at reference distance d_0

Path loss exponent

In dB: $P_r = P_0 \text{ (dB)} - 10 n \log (d)$

$P_r \text{ (dB)}$



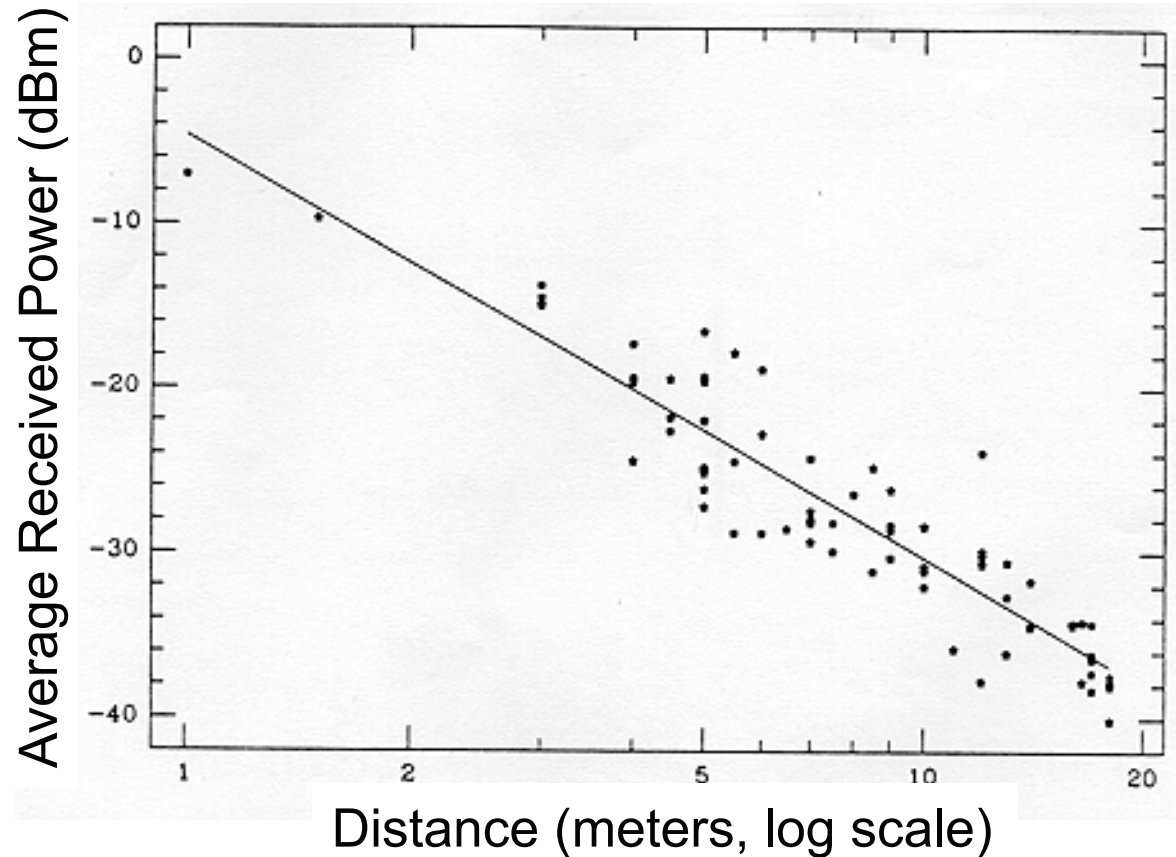


Path Loss Exponents

| ENVIRONMENT | PATH LOSS EXPONENT, n |
|-------------------------------|-------------------------|
| Free space | 2 |
| Urban cellular radio | 2.7 to 3.5 |
| Shadowed urban cellular radio | 3 to 5 |
| In building line-of-site | 1.6 to 1.8 |
| Obstructed in building | 4 to 6 |
| Obstructed in factories | 2 to 3 |

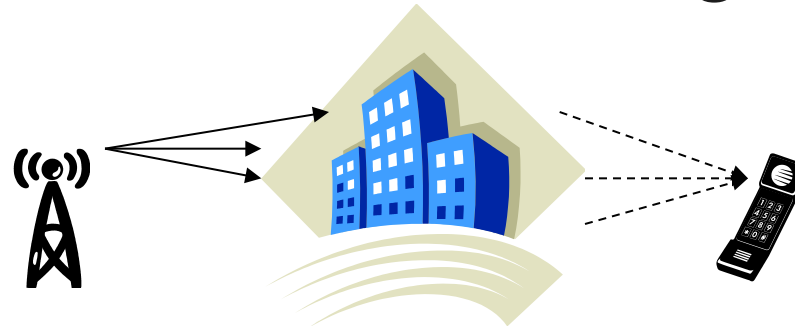


Large-Scale Path Loss (Scatter Plot)



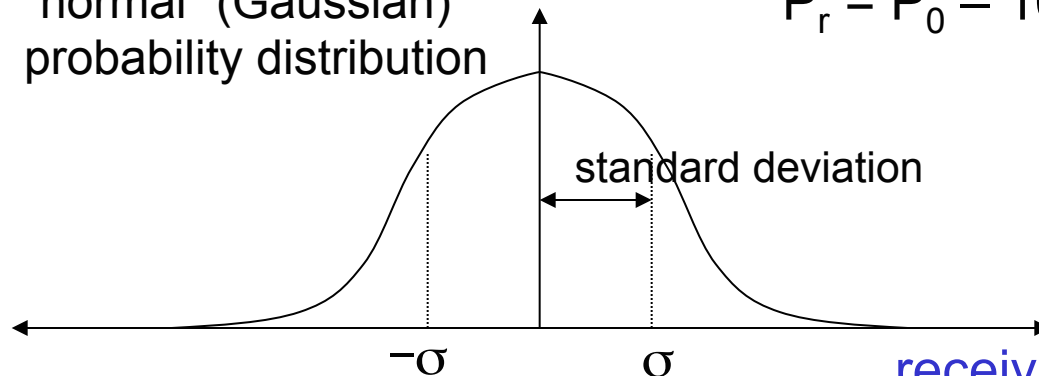


Shadow Fading



- Random variations in **path loss** as mobile moves around buildings, trees, etc.
- Modeled as an additional random variable:

“normal” (Gaussian)
probability distribution



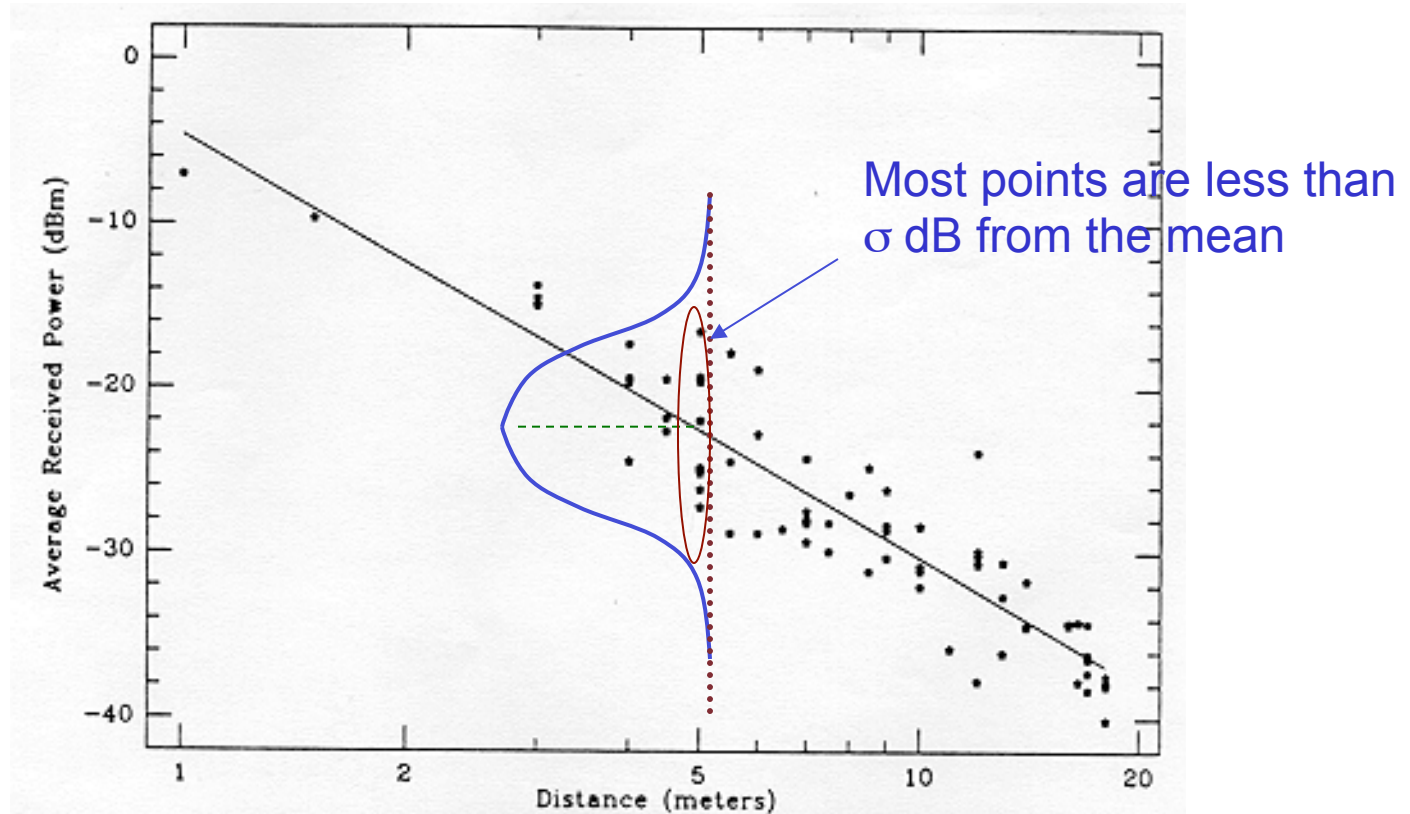
$$P_r = P_0 - 10 n \log d + X$$

↑
“log-normal” random variable

For cellular: σ is about 8 dB



Large-Scale Path Loss (Scatter Plot)





Empirical Path Loss Models

- Propagation studies must take into account:
 - Environment (rural, suburban, urban)
 - Building characteristics (high-rise, houses, shopping malls)
 - Vegetation density
 - Terrain (mountainous, hilly, flat)
- Okumura's model
(based on measurements in and around Tokyo)
 - Median path loss =
free-space loss + urban loss + antenna gains + corrections
 - Obtained from graphs
 - Additional corrections for street orientation, irregular terrain
- Numerous indoor propagation studies for 802.11



SINR Measurements: 1xEV-DO

[drive test plots](#)



dB and dBm

- **dB** is a ratio of two powers:

We say that power P_1 is x dB stronger than power P_2 if $x = 10 \log (P_1/P_2)$, where log is base 10.

– Example: P_1 is 3 dB more than P_2 if $P_1/P_2 \approx 2$.

- **dBm** is power relative to a milliwatt (1 mW = 0.001 W):

P in dBm = $10 \log (P/0.001)$

– Example: 1 mW = $10 \log 1 = 0$ dBm



Link Budget

How much transmit power is required to achieve a target received power?

- dBs add:

Target received power (dBm)

+ path loss (dB)

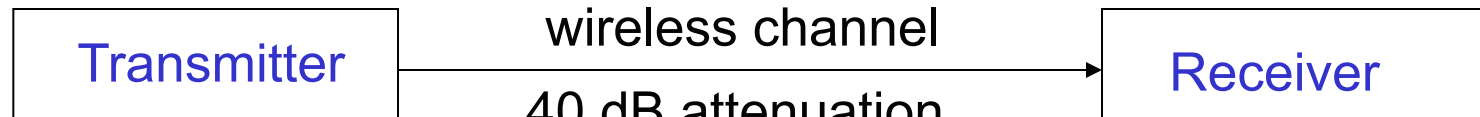
+ other losses (components) (dB)

- antenna gains (dB)

Total power needed at transmitter (dBm)



Example

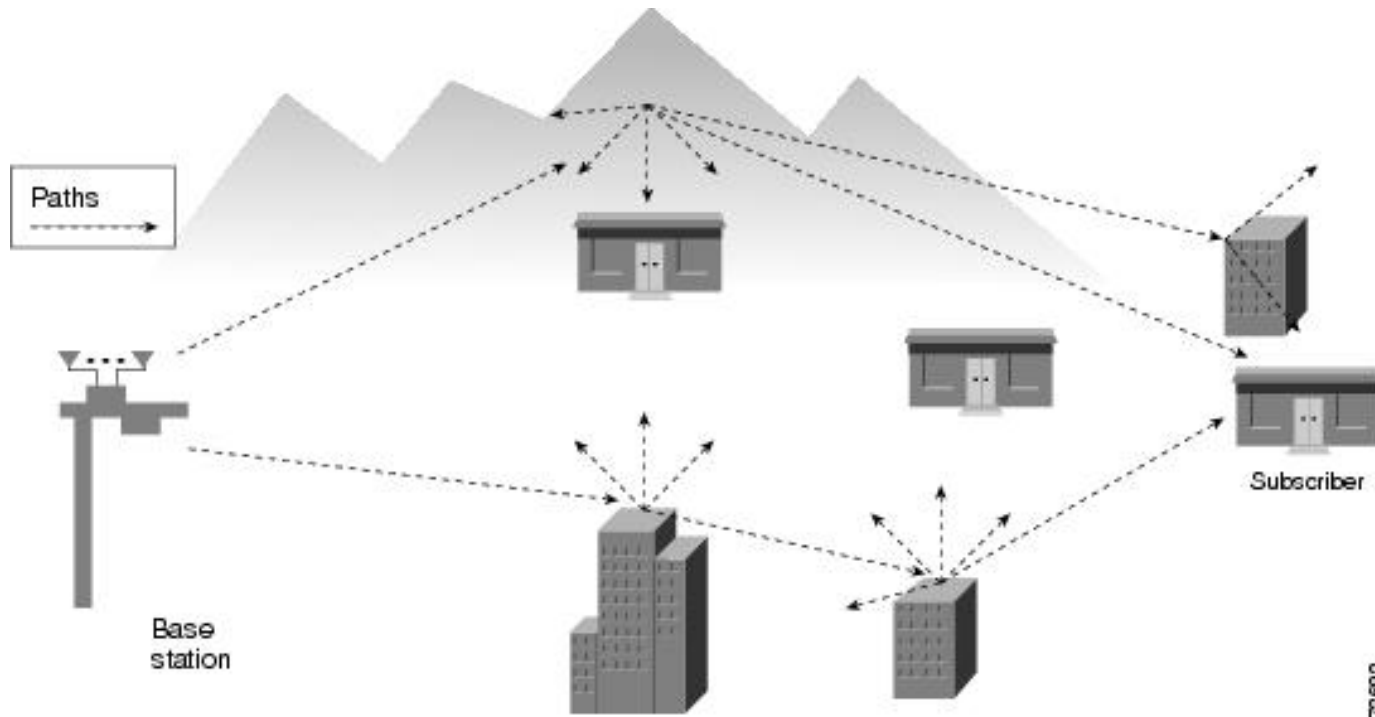


What is the required
Transmit power?

Received power
must be > -30 dBm

- Recall that dBm measures the signal power relative to 1 mW (milliwatt) = 0.001 Watt. To convert from S Watts to dBm, use $S \text{ (dBm)} = 10 \log (S / 0.001)$
- Transmitted power (dBm) = $-30 + 40 = 10$ dBm = 10 mW
- What if the received signal-to-noise ratio must be 5 dB, and the noise power is -45 dBm?

Urban Multipath



78682

- No direct Line of Sight between mobile and base
- Radio wave scatters off of buildings, cars, etc.
- Severe multipath



Narrowband vs. Wideband

- **Narrowband** means that the bandwidth of the transmitted signal is small (e.g., < 100 kHz for cellular). It therefore looks “almost” like a sinusoid.
 - Multipath changes the amplitude and phase.
- **Wideband** means that the transmitted signal has a large bandwidth (e.g., > 1 MHz for cellular).
 - Multipath causes “self-interference”.



Narrowband Fading

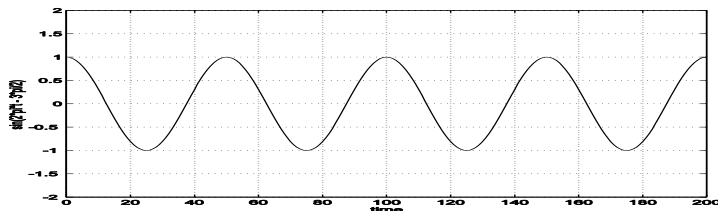
$$\text{Received signal } r(t) = h_1 s(t - \tau_1) + h_2 s(t - \tau_2) + h_3 s(t - \tau_3) + \dots$$

attenuation
for path 1 (random)

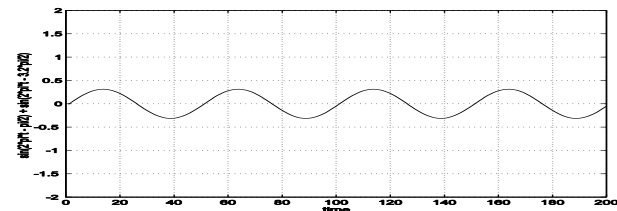
delay for path 1 (random)

If the transmitted signal is sinusoidal (narrowband), $s(t) = \sin 2\pi f t$, then the received signal is also sinusoidal, but with a different (random) amplitude and (random) phase:

$$r(t) = A \sin (2\pi f t + \theta)$$



Transmitted $s(t)$



Received $r(t)$

A, θ depend on environment, location of transmitter/receiver



Rayleigh Fading

Can show:

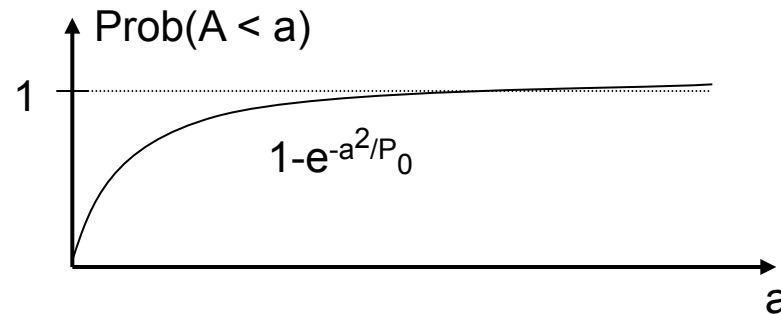
A has a “Rayleigh” distribution

θ has a “uniform” distribution

(all phase shifts are equally likely)

Probability ($A < a$) = $1 - e^{-a^2/P_0}$

where P_0 is the reference power (averaged over different locations)



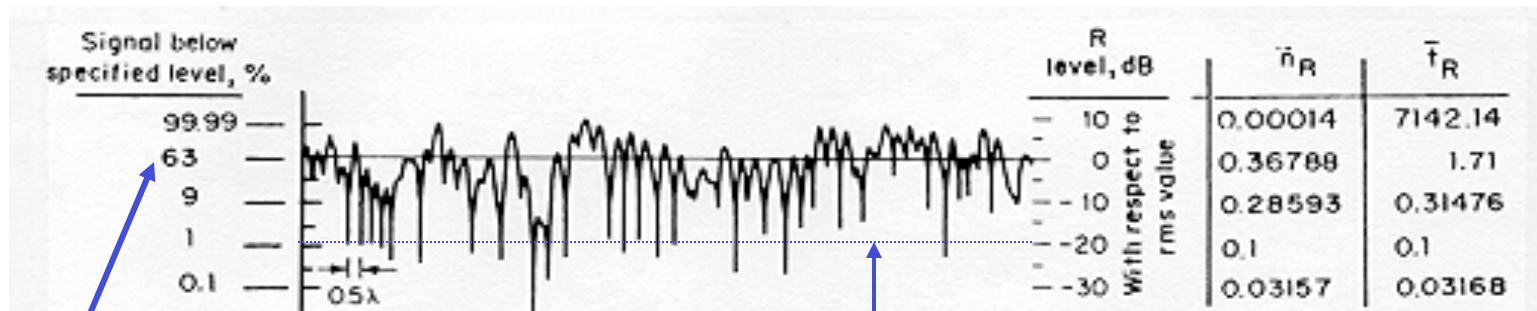
Ex: $P_0 = 1, a=1$: $\Pr(A < 1) = 1 - e^{-1} = 0.63$ (probability that signal is faded)

$P_0 = 1, a=0.1$: $\Pr(A < 0.1) = 1 - e^{-1/100} \approx 0.01$

(prob that signal is severely faded)



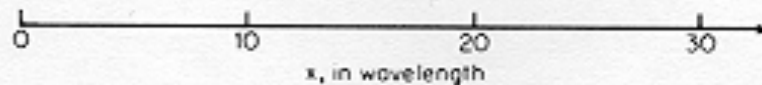
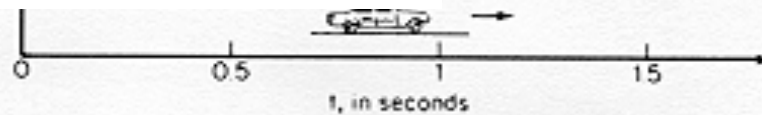
Small-Scale (Rayleigh) Fading



The signal strength falls below the average 63% of the time.

$a = 0.1$

(from Fig. 1.10)



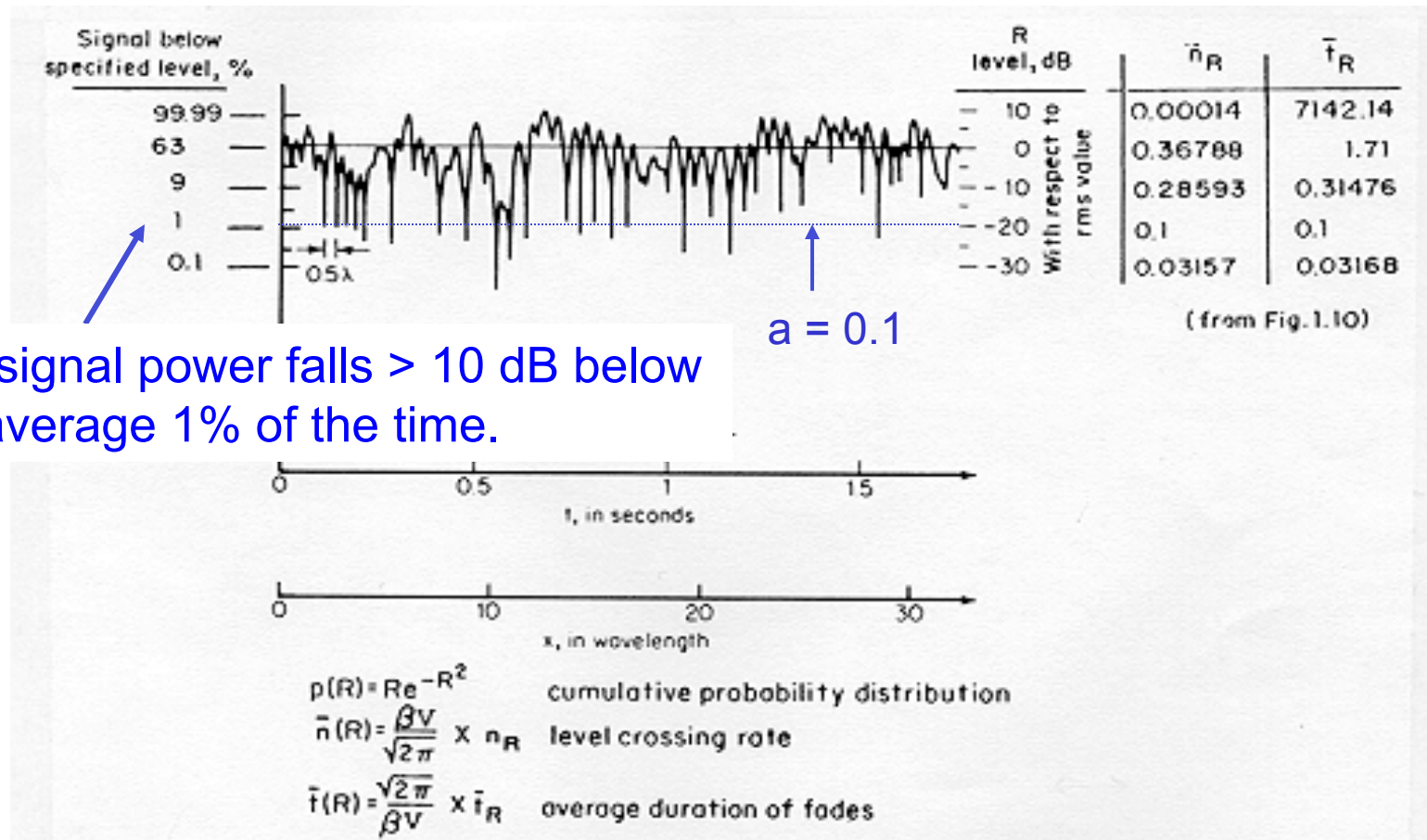
$$p(R) = Re^{-R^2} \quad \text{cumulative probability distribution}$$

$$\bar{n}(R) = \frac{\beta V}{\sqrt{2\pi}} \times n_R \quad \text{level crossing rate}$$

$$\bar{t}(R) = \frac{\sqrt{2\pi}}{\beta V} \times \bar{t}_R \quad \text{average duration of fades}$$



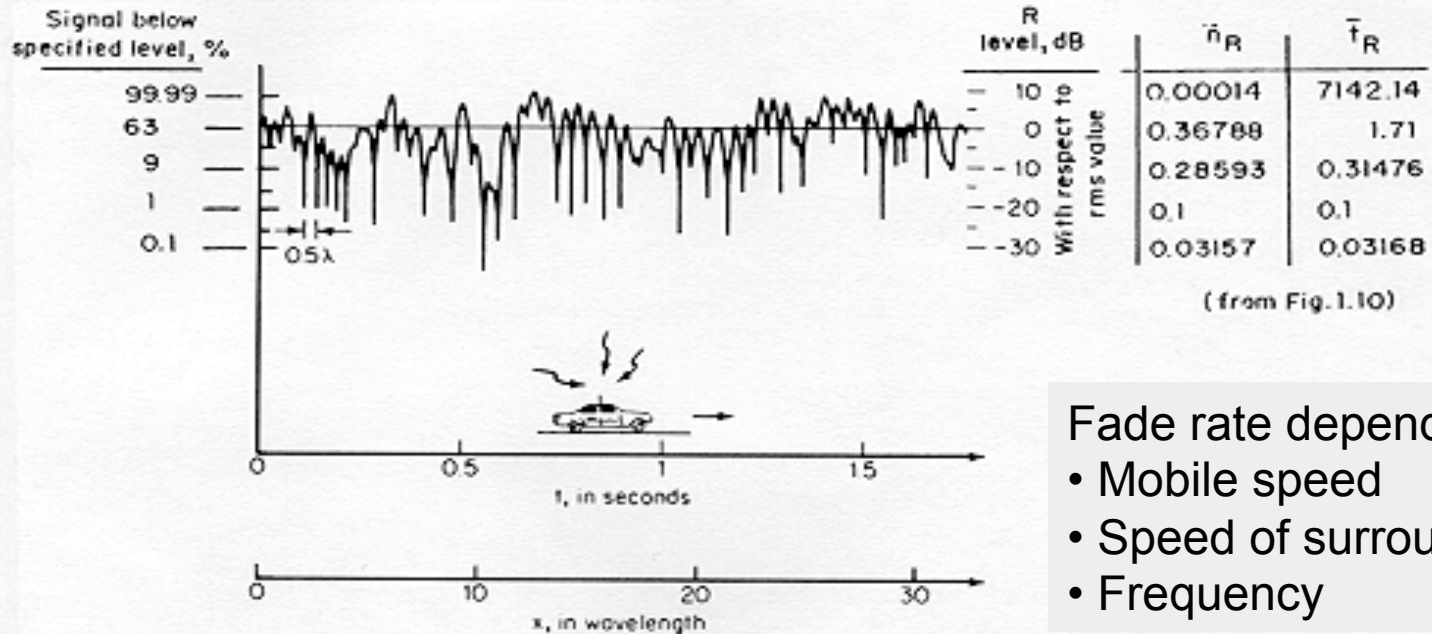
Small-Scale (Rayleigh) Fading



The signal power falls > 10 dB below the average 1% of the time.



Small-Scale Fading



- Fade rate depends on
- Mobile speed
 - Speed of surrounding objects
 - Frequency

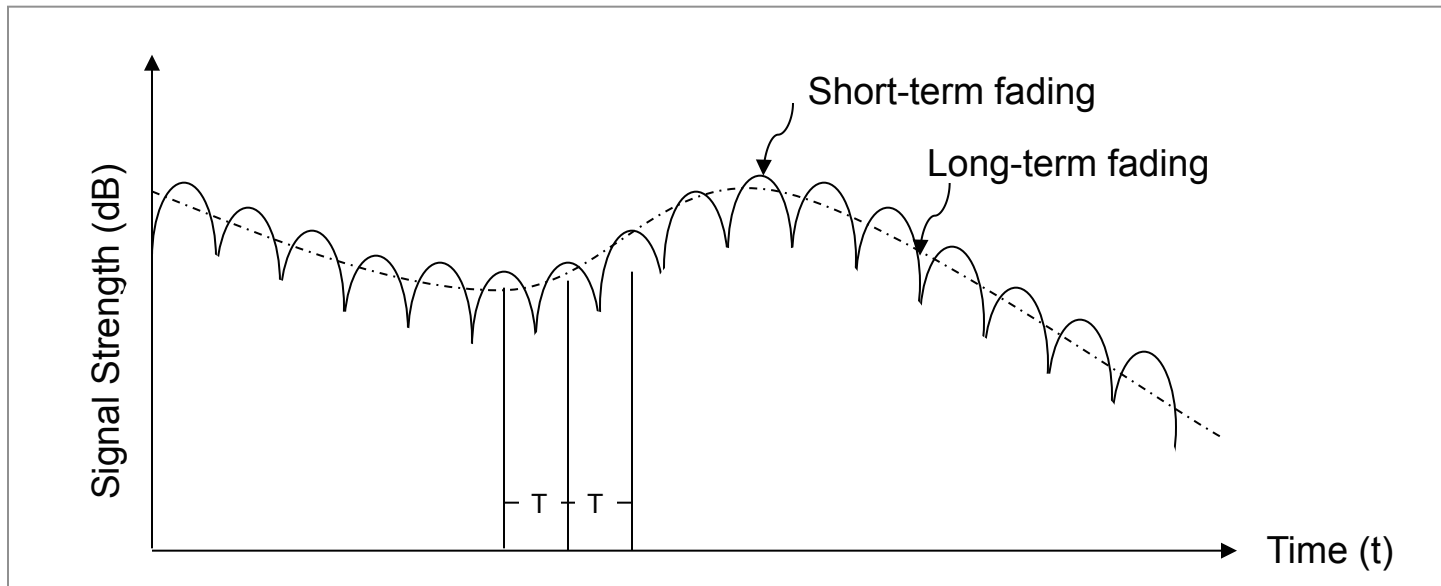
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$$\bar{t}(R) = \frac{\sqrt{2\pi}}{\beta V} \times \bar{t}_R \quad \text{average duration of fades}$$



Short- vs. Long-Term Fading

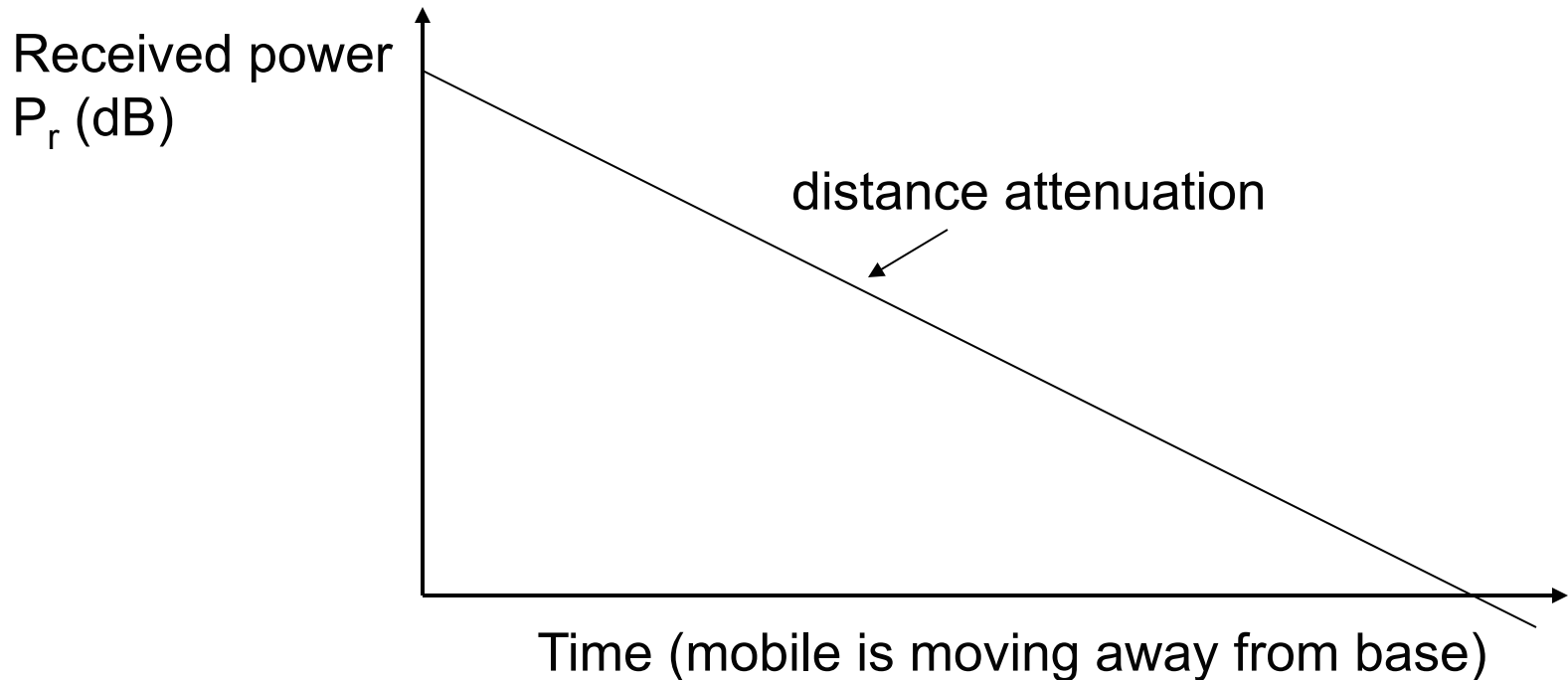


Long-term (large-scale) fading:

- Distance attenuation
- Shadowing (blocked Line of Sight (LOS))
- Variations of signal strength over distances on the order of many wavelengths

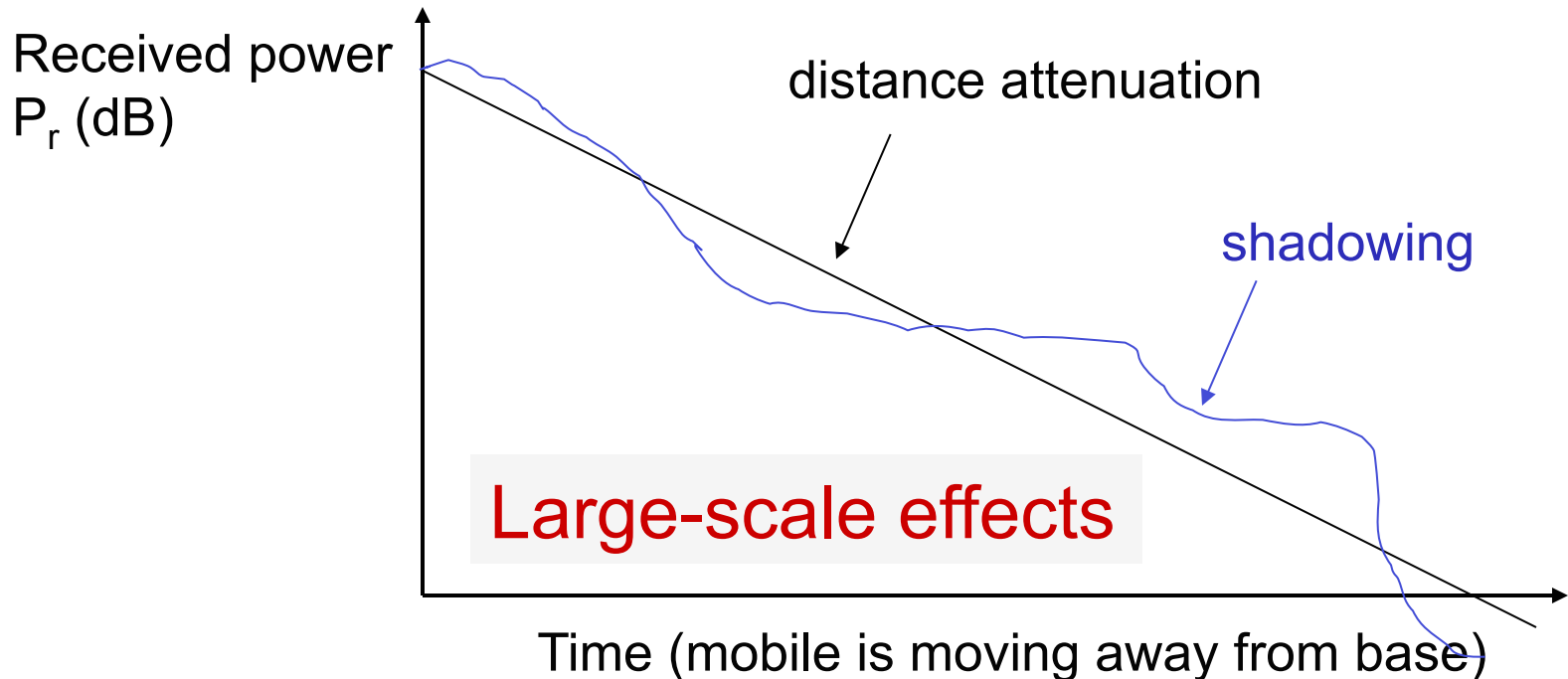


Combined Fading and Attenuation



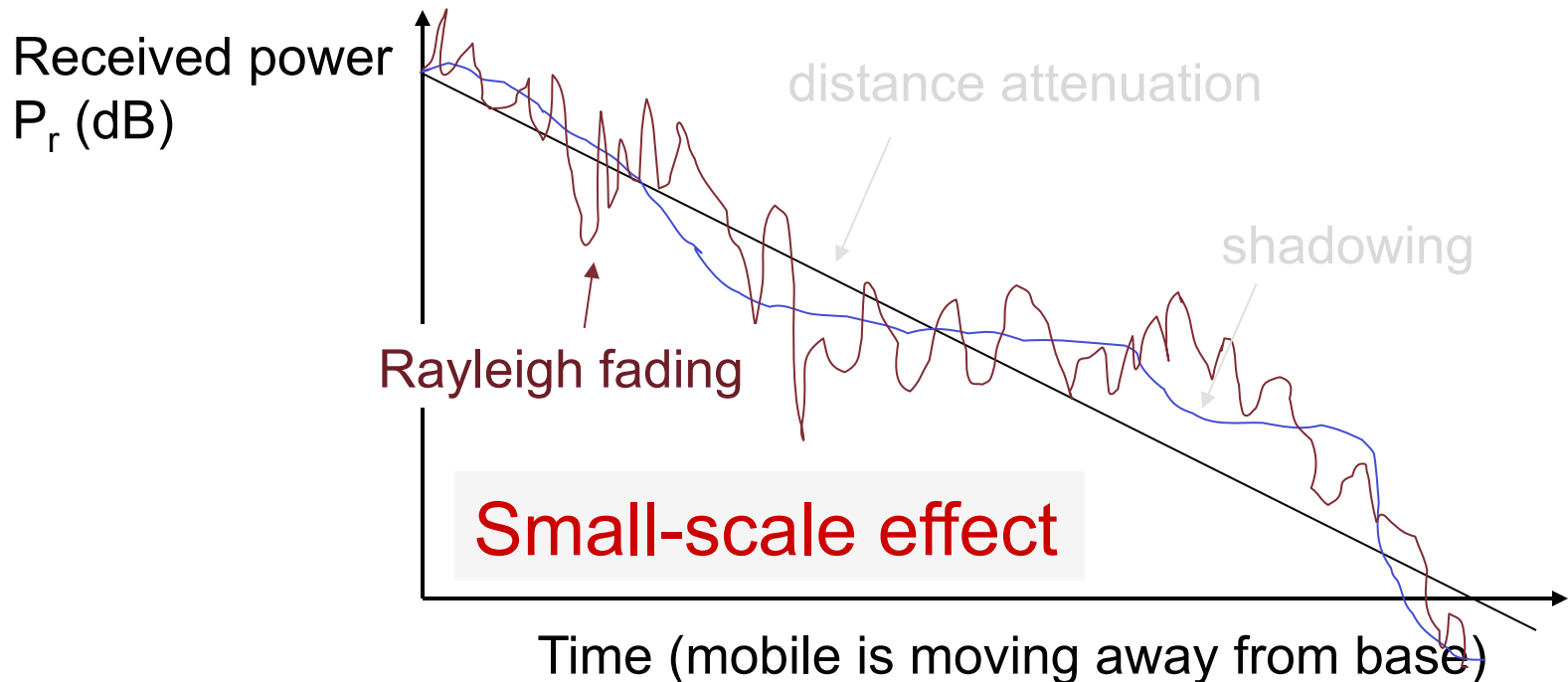


Combined Fading and Attenuation





Combined Fading and Attenuation





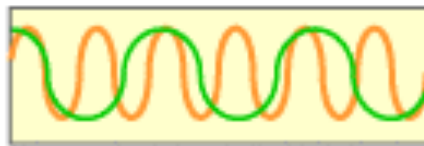
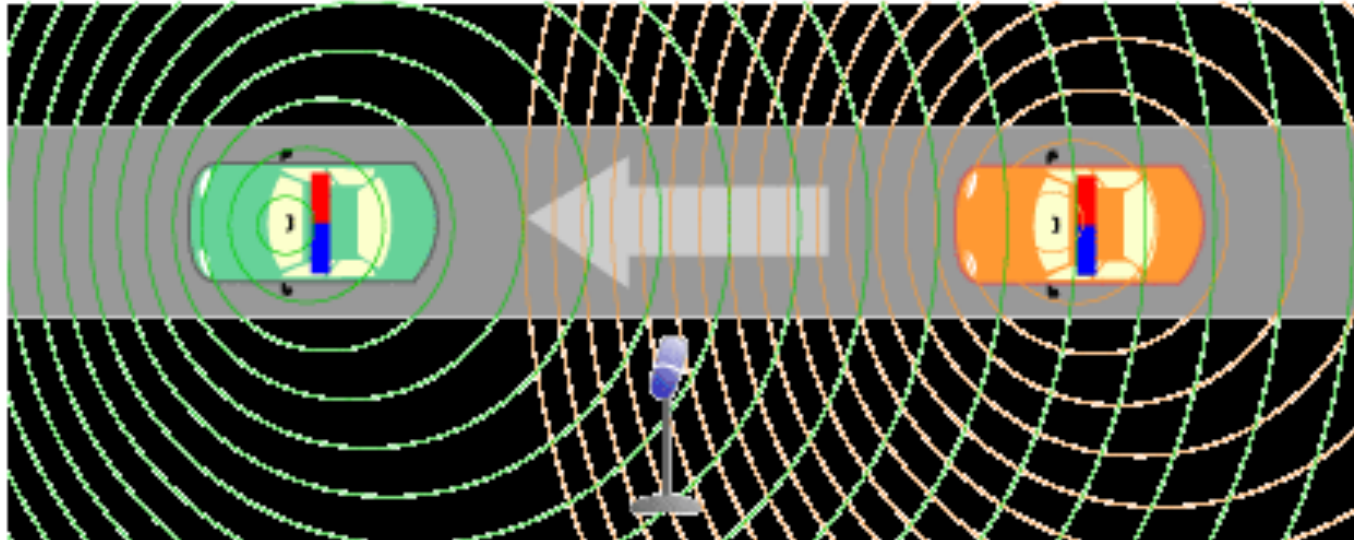
Example Diagnostic Measurements: 1XEV-DO

drive test measurements

drive path



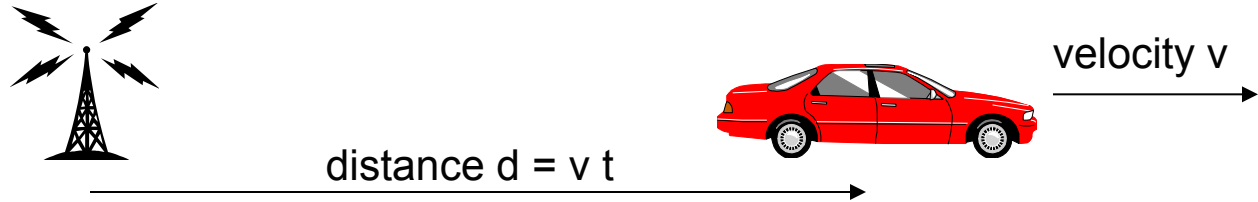
Time Variations: Doppler Shift



[Audio clip \(train station\)](#)

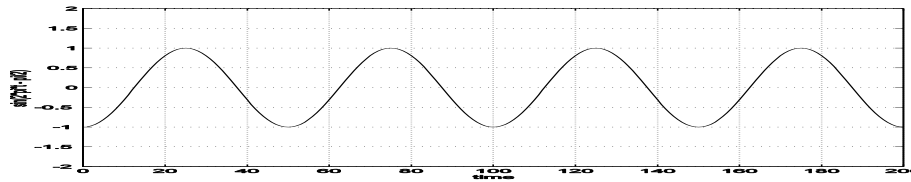


Time Variations: Doppler Shift



Propagation delay = distance d / speed of light $c = vt/c$

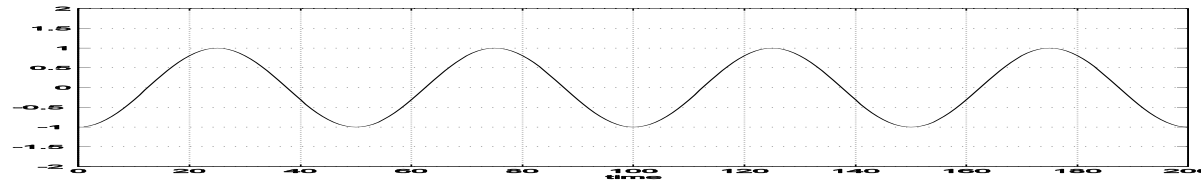
transmitted
signal $s(t)$



delay increases

received
signal $r(t)$

propagation
delay



$$\text{Received signal } r(t) = \sin 2\pi f (t - vt/c) = \sin 2\pi(f - fv/c) t$$

received frequency

Doppler shift $f_d = -fv/c$



Doppler Shift (Ex)

Mobile moving away from base → $v > 0$, Doppler shift < 0

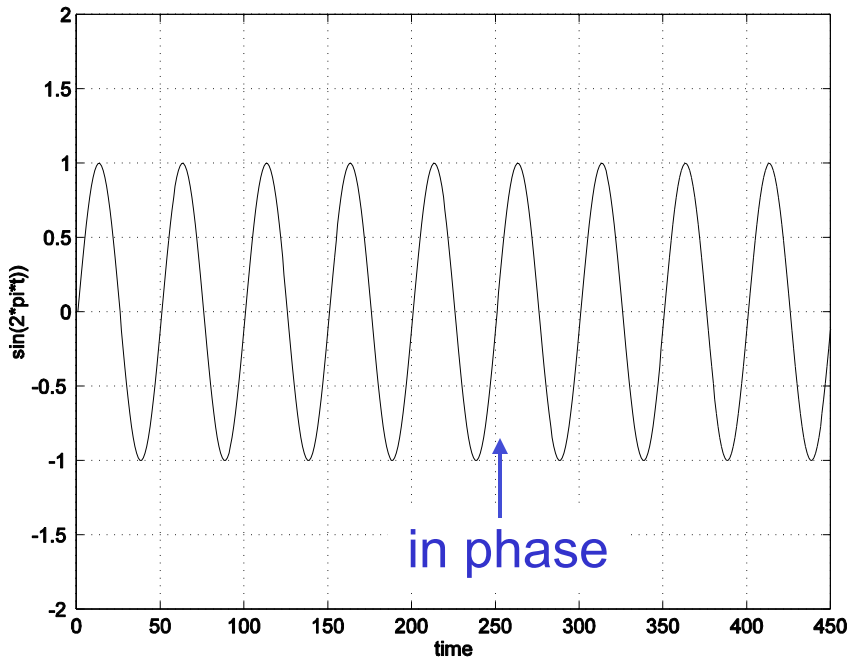
Mobile moving towards base → $v < 0$, Doppler shift > 0

Carrier frequency $f = 900$ MHz, $v = 60$ miles/hour = 26.82 meters/sec

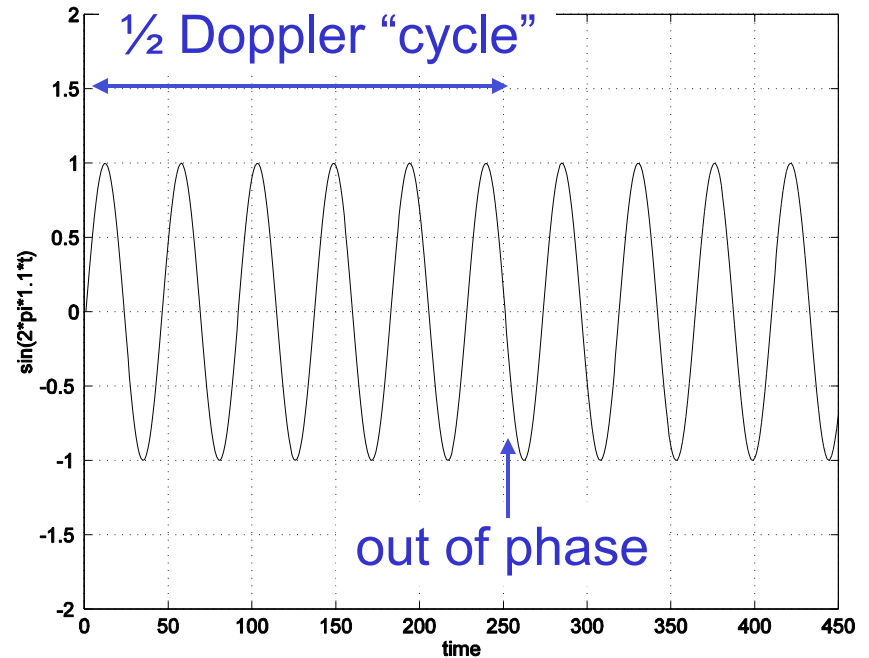
Mobile → Base: $f_d = fv/c = (900 \times 10^6) \times 26.82 / (3 \times 10^8) \approx 80$ Hz
meters/sec



Doppler (Frequency) Shift



Frequency= $1/50$



Frequency= $1/45$

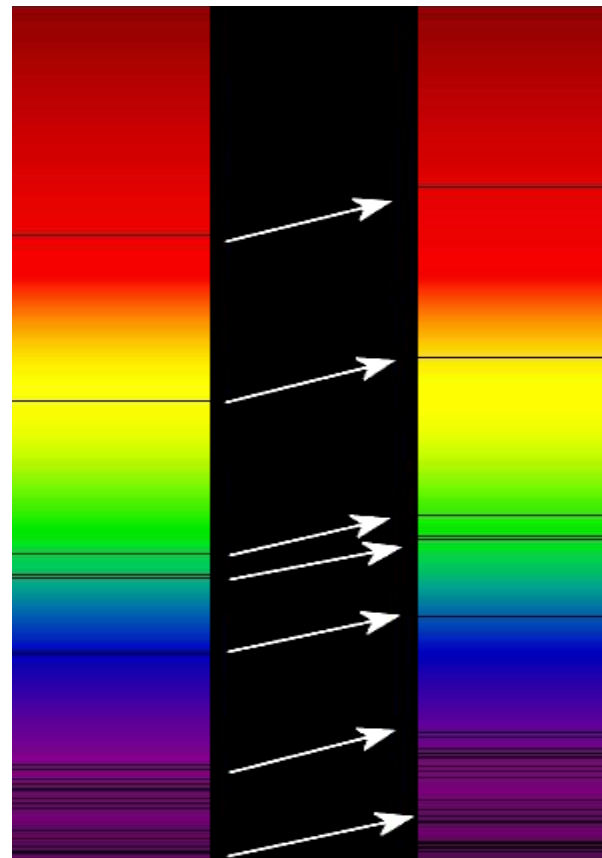


Application of Doppler Shift: Astronomy

Doppler shift determines relative velocity of distant objects (e.g., stars, galaxies...)

“red shift”: object is moving away

“blue shift” object is moving closer

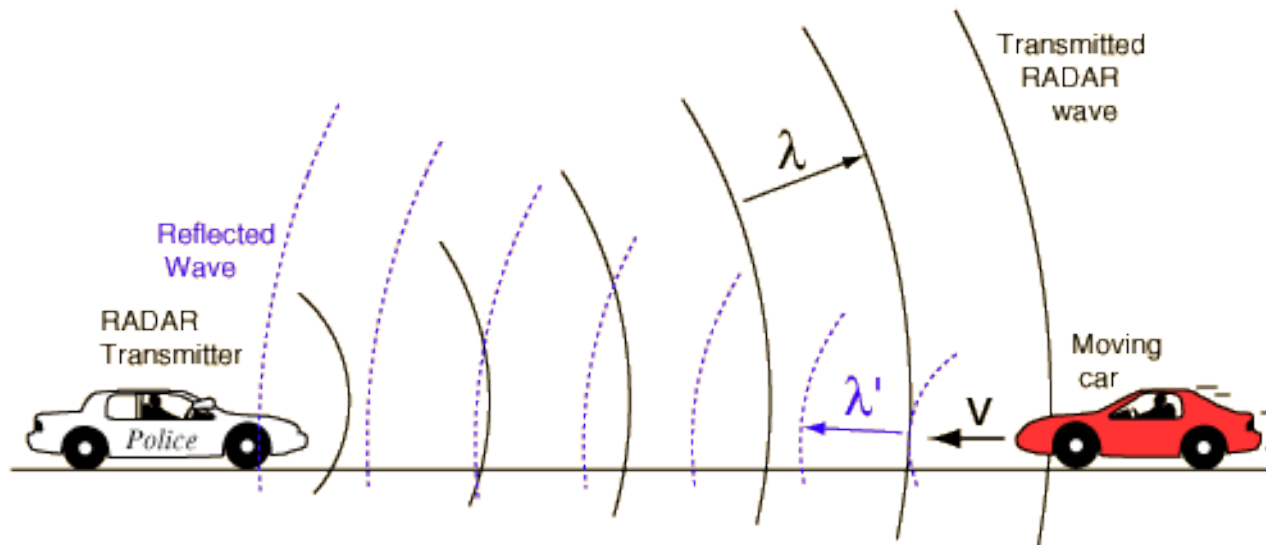


Observed “spectral lines” (radiation is emitted at discrete frequencies)

sun light spectrum

spectrum of galaxy supercluster

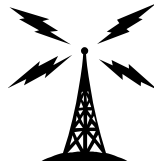
Application of Doppler Shift: Police Radar



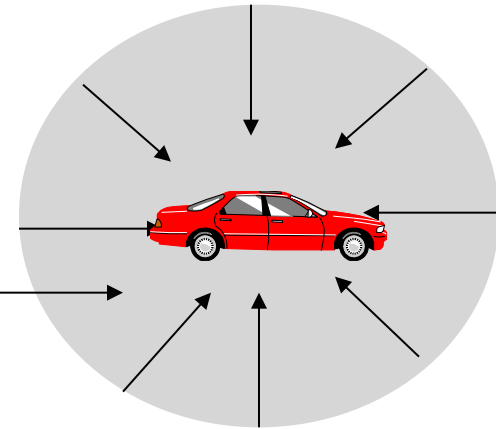
Doppler shift can be used to compute relative speed.



Scattering: Doppler Spectrum

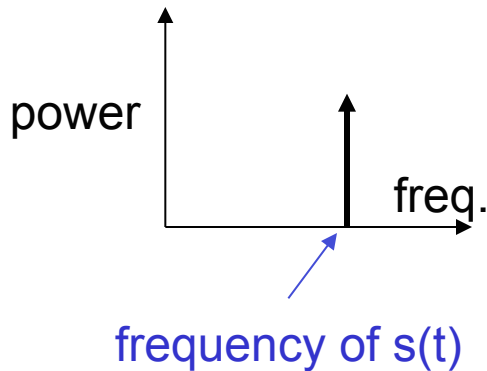
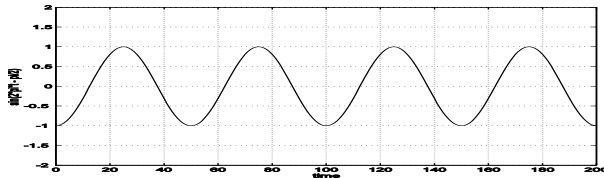


distance $d = v t$



received signal ??

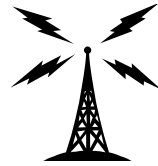
transmitted signal $s(t)$



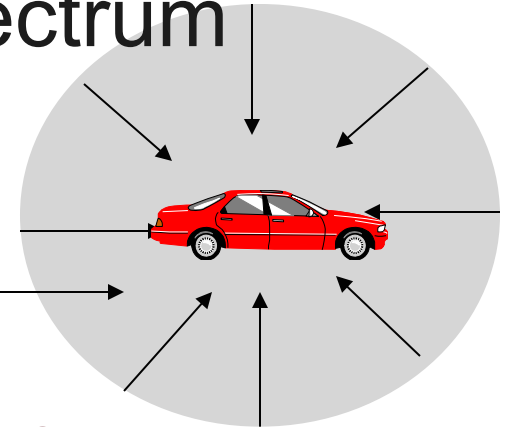
- Received signal is the sum of all scattered waves
- Doppler shift for each path depends on angle ($v f \cos \theta / c$)
- Typically assume that the received energy is the same from all directions (uniform scattering)



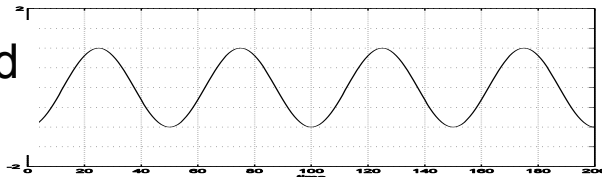
Scattering: Doppler Spectrum



distance $d = v t$

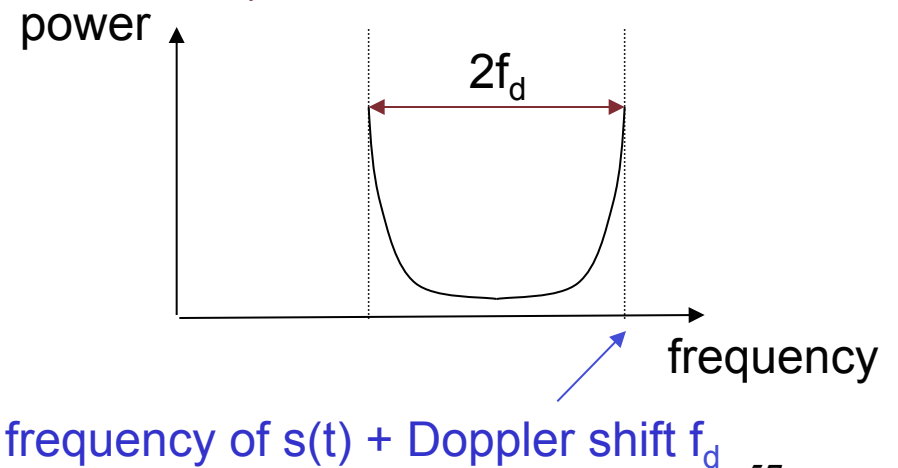
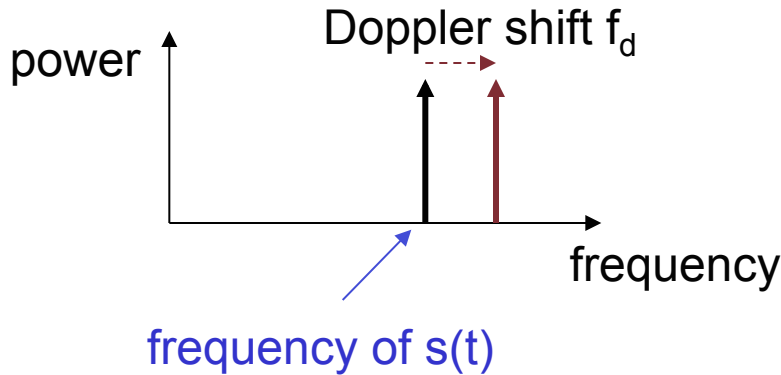


transmitted
signal $s(t)$



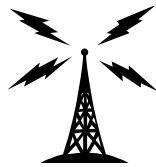
Doppler Spectrum

(shows relative strengths of Doppler shifts)

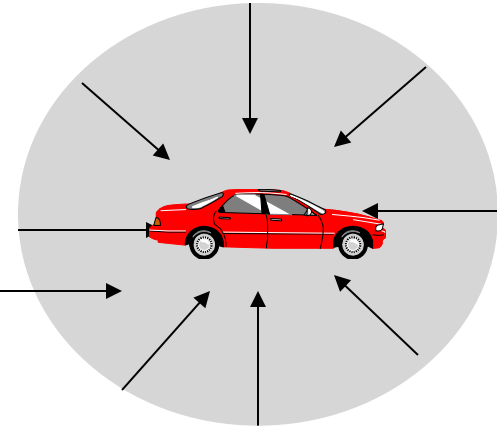




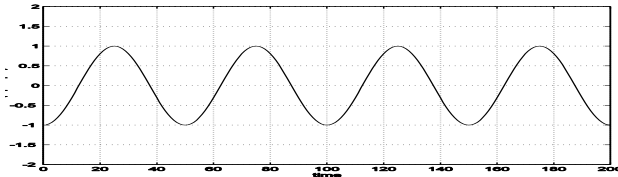
Scattering: Doppler Spectrum



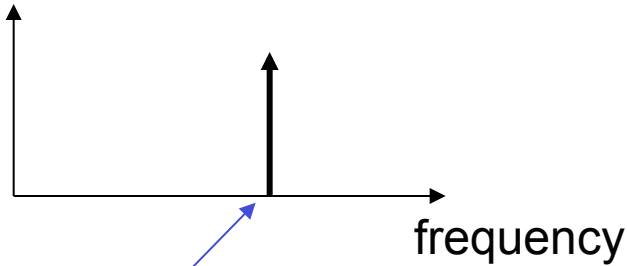
distance $d = v t$



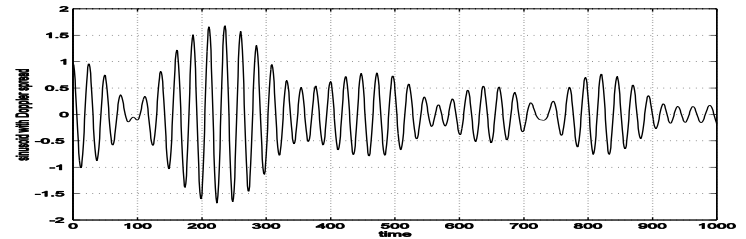
transmitted
signal $s(t)$



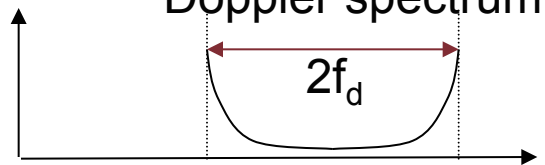
power



frequency of $s(t)$



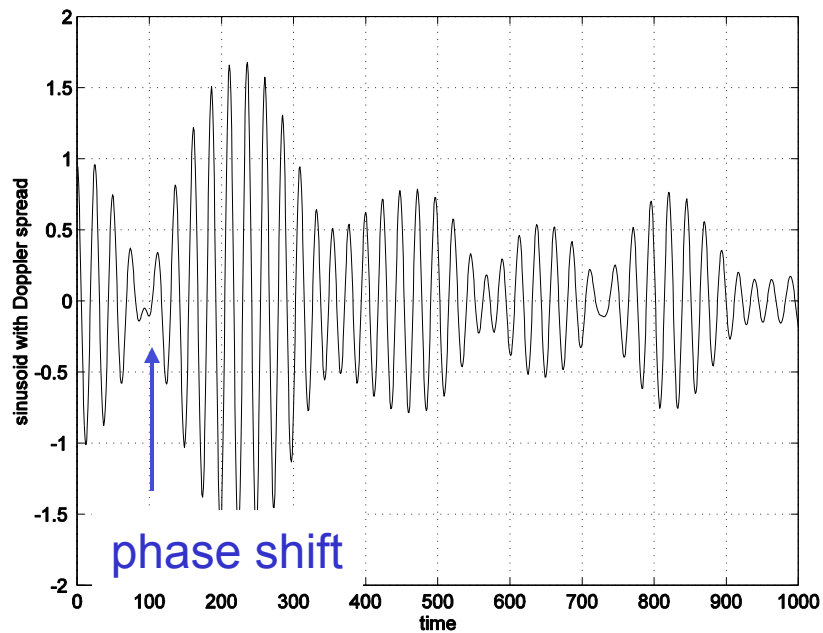
Doppler spectrum



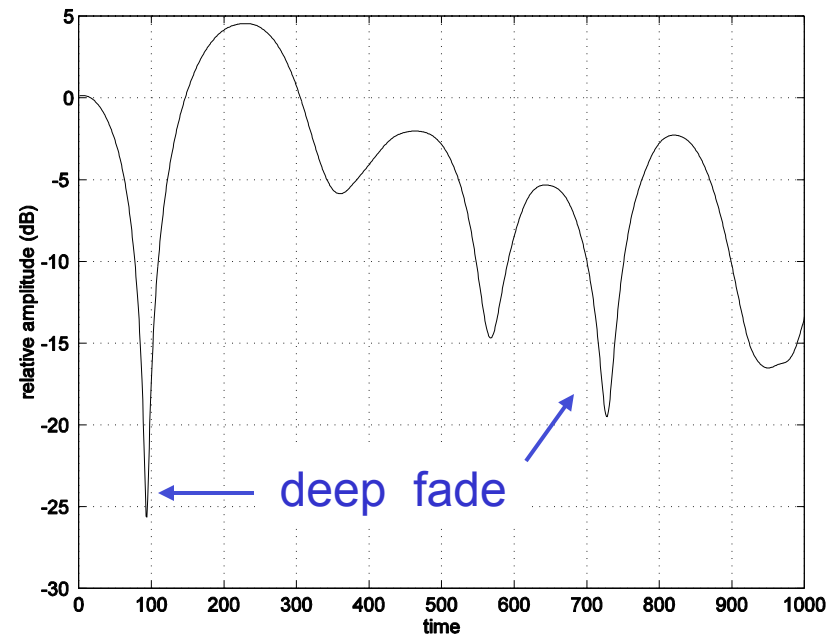
frequency of $s(t)$ + Doppler shift f_d



Rayleigh Fading



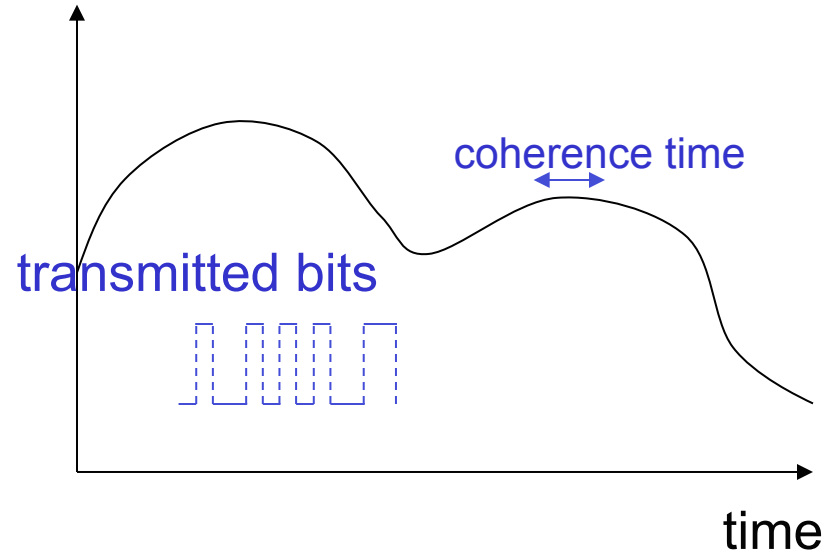
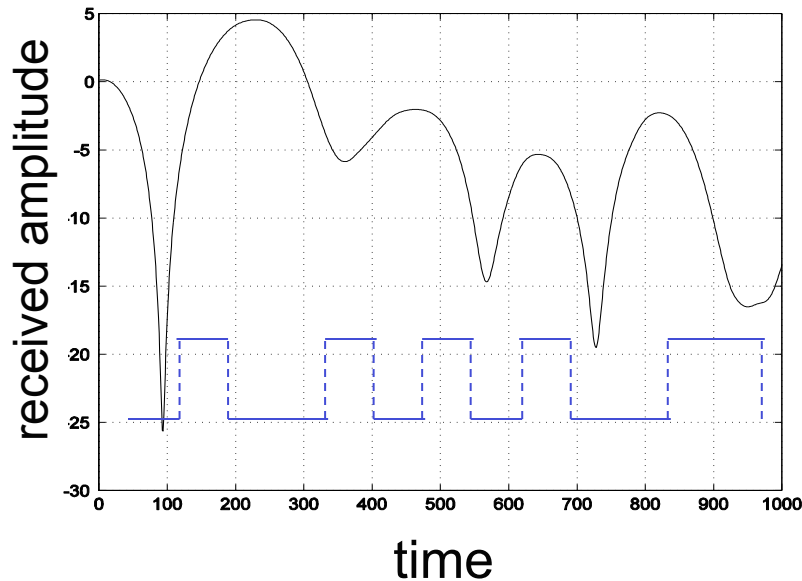
Received waveform



Amplitude (dB)



Fast vs. Slow Fading

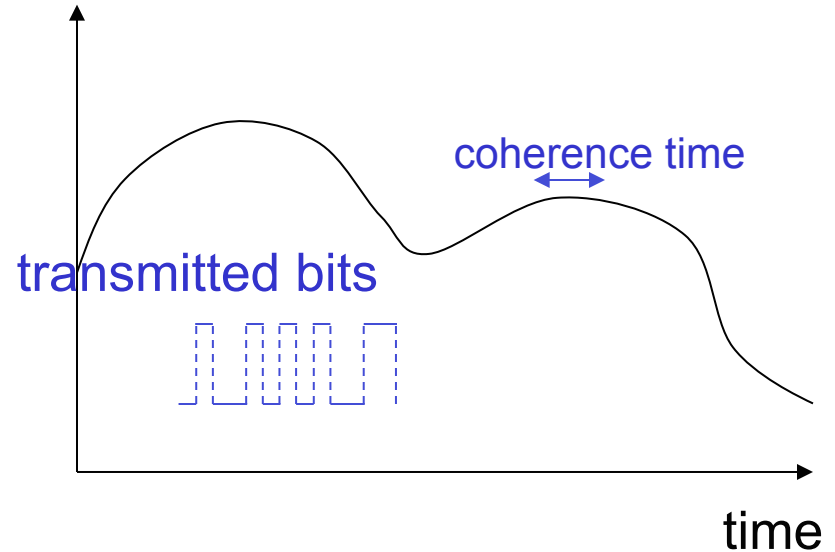
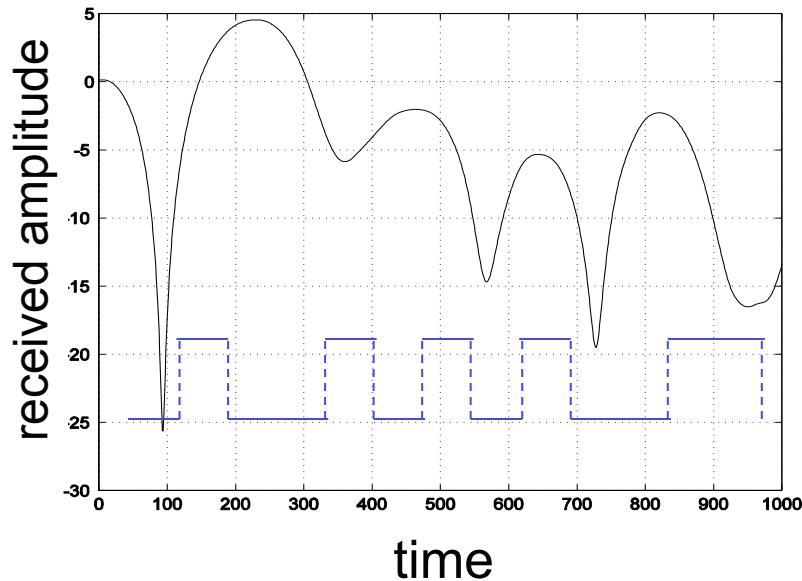


Fast fading: channel changes every few symbols. Coherence time is less than roughly 100 symbols.

Slow fading: Coherence time lasts more than a few 100 symbols.



Fast vs. Slow Fading

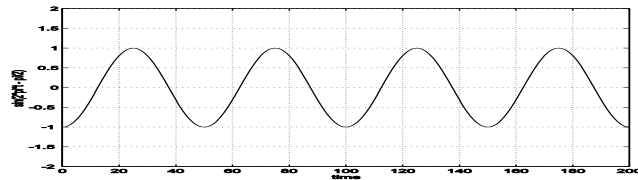


What is important is the coherence time ($1/\text{Doppler}$)
relative to the Data rate.

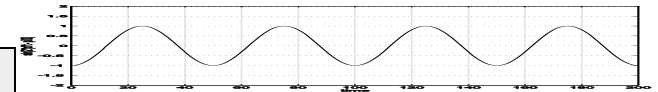


Channel Characterizations: Narrowband vs. Wideband

Narrowband signal (sinusoid)

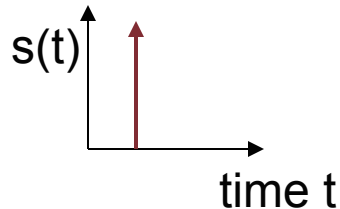


infinite duration, zero bandwidth

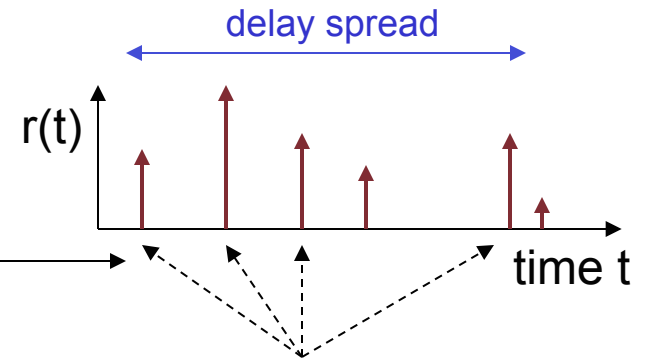
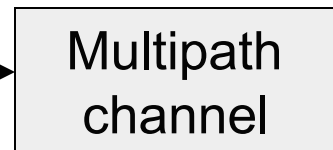


Amplitude attenuation,
Delay (phase shift)

Wideband signal (impulse)



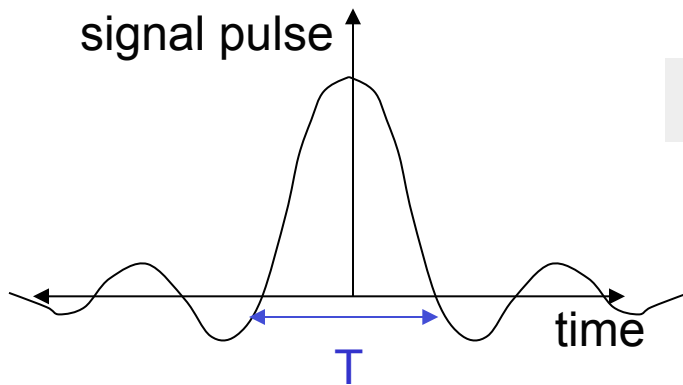
zero duration, infinite bandwidth



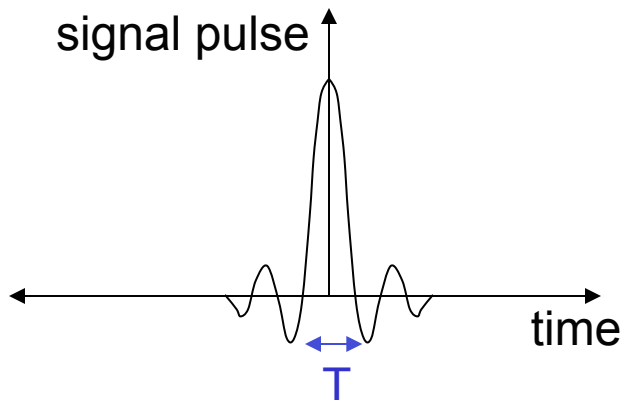
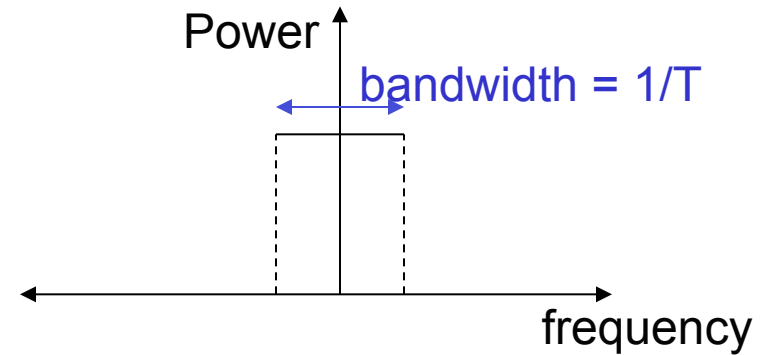
multipath components



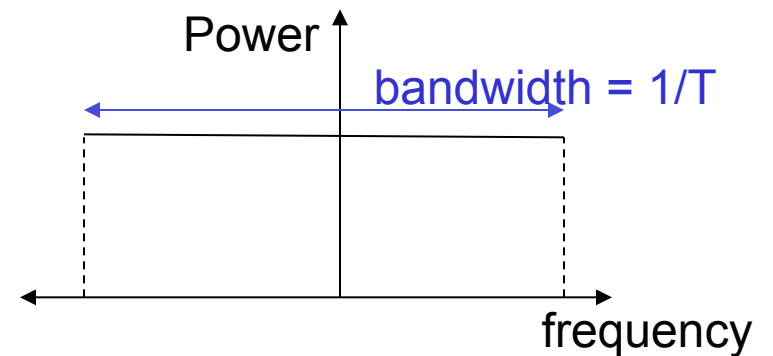
Pulse Width vs. Bandwidth



Narrowband

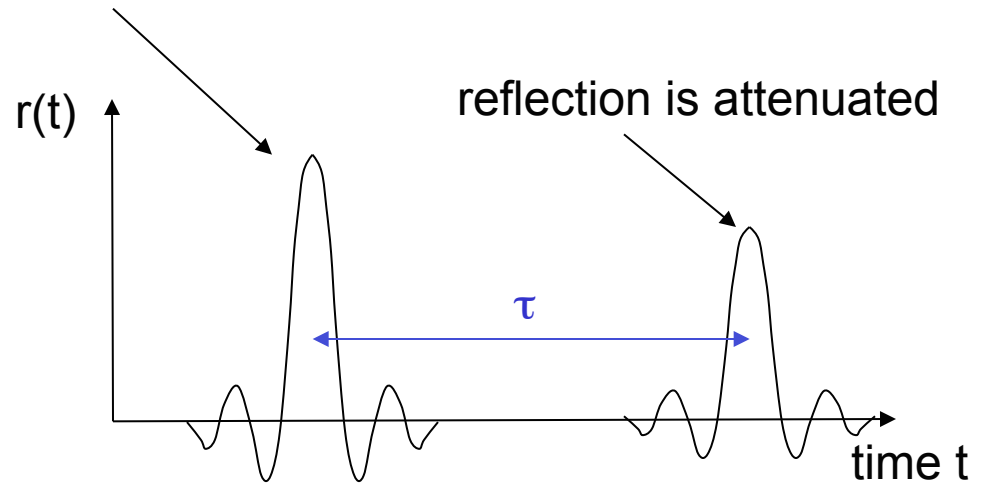
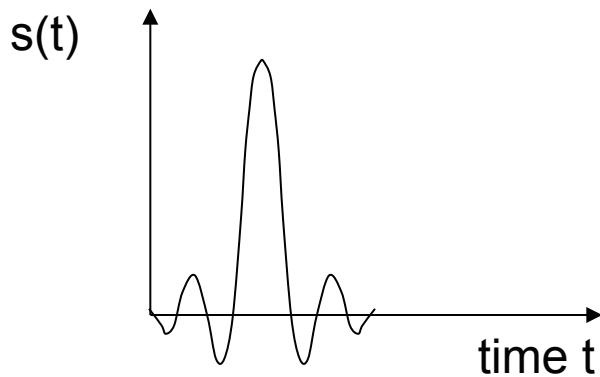
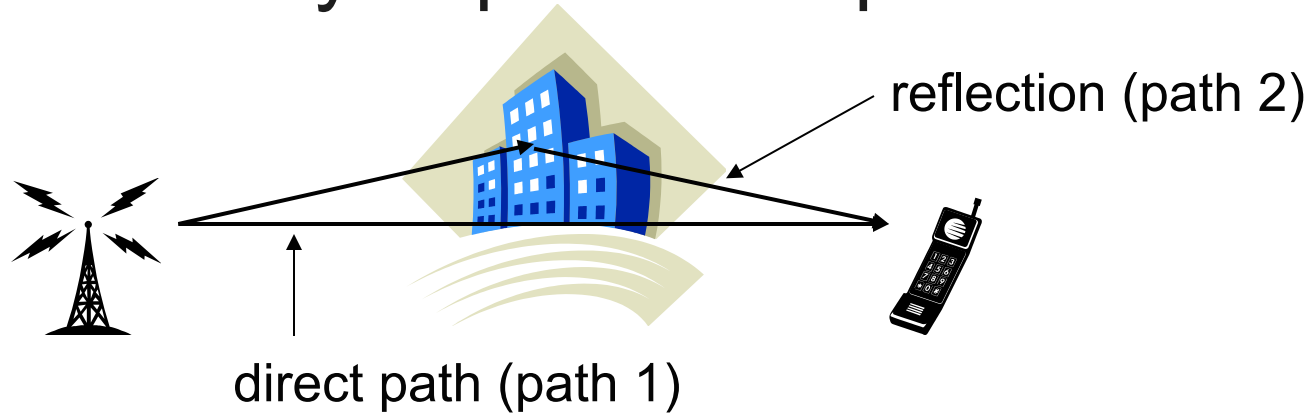


Wideband





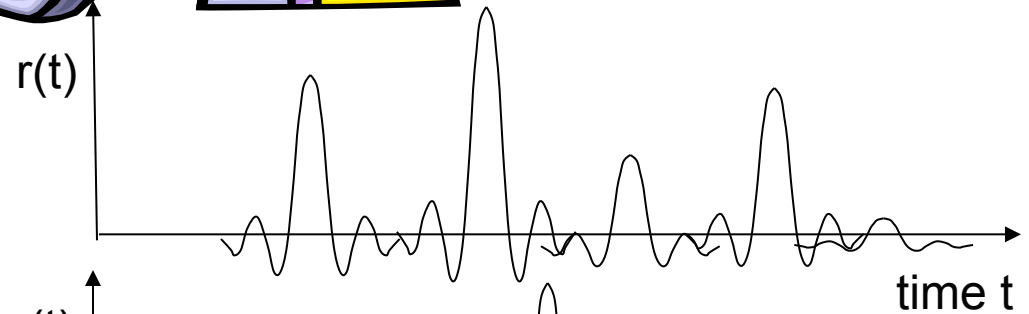
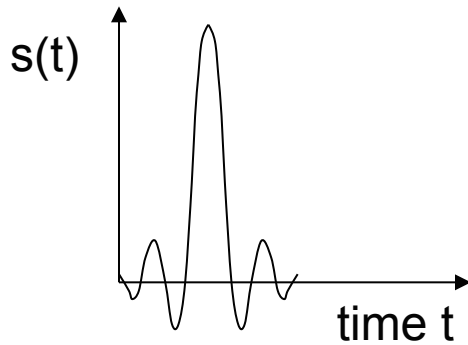
Two-Ray Impulse Response



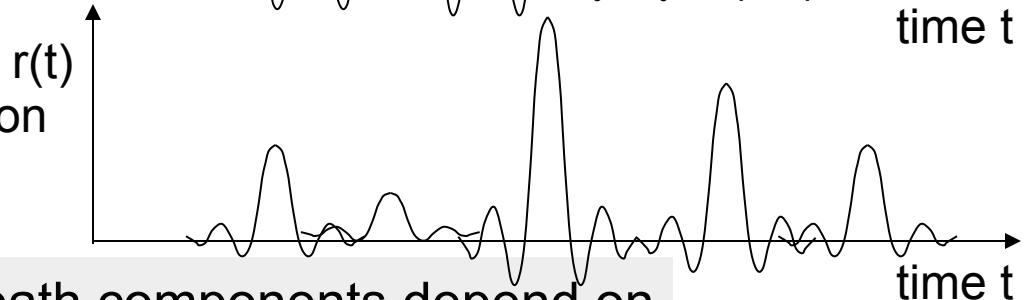
$$\tau = [(\text{length of path 2}) - (\text{length of path 1})]/c$$



Urban Multipath



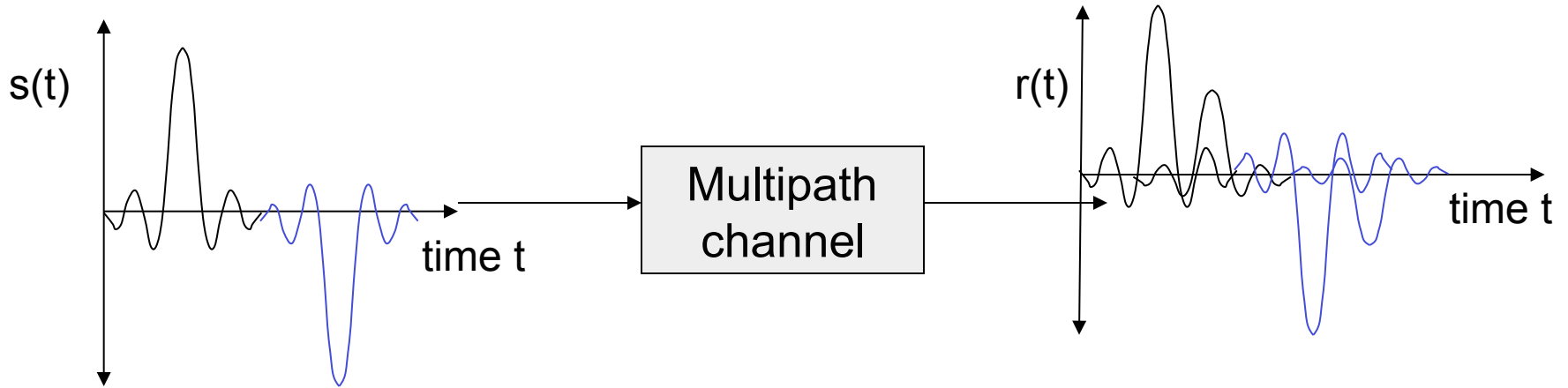
different location
for receiver



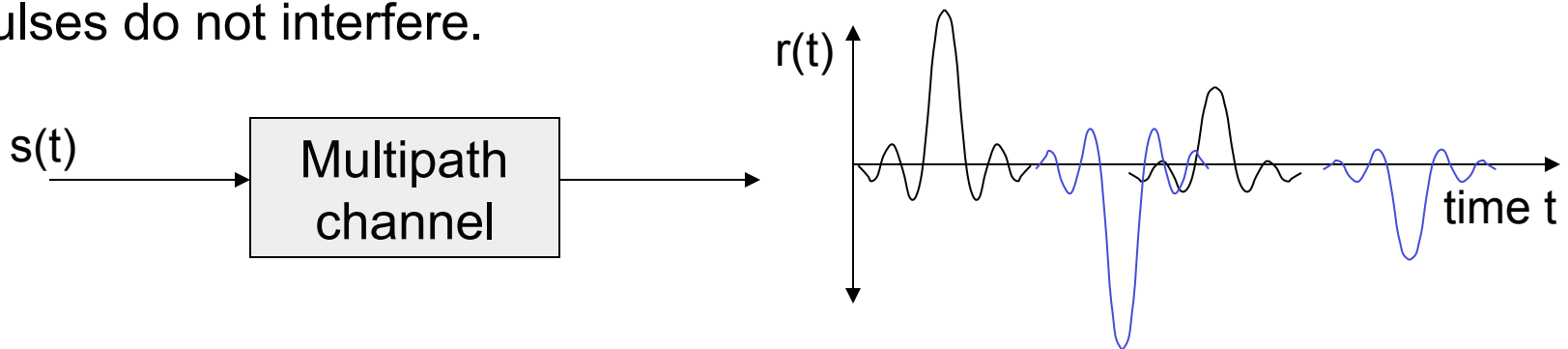
Spacing and attenuation of multipath components depend on location and environment.



Multipath and Intersymbol Interference



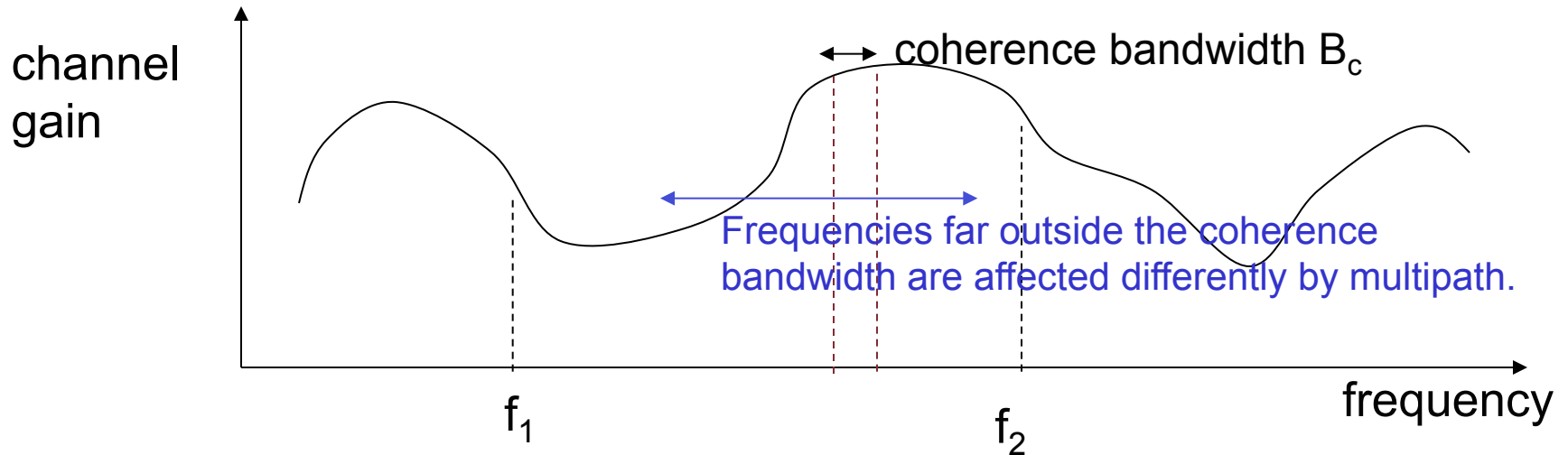
Time between pulses is \gg delay spread, therefore the received pulses do not interfere.



Time between pulses is $<$ multipath delay, which causes intersymbol interference.



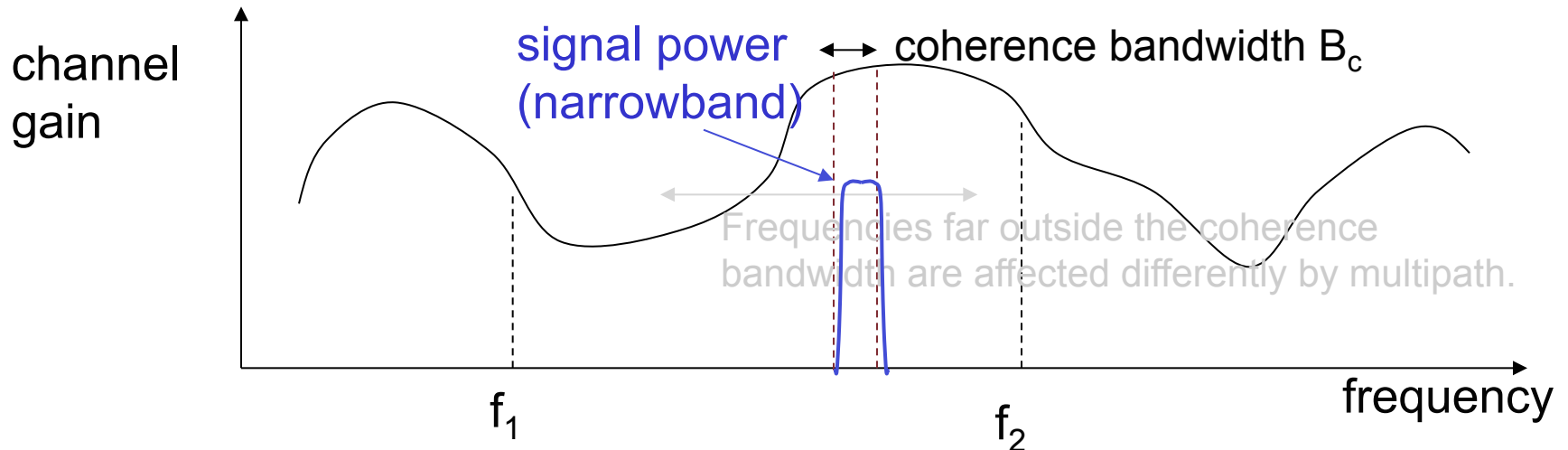
Coherence Bandwidth



- The channel gain is approximately constant within a coherence bandwidth B_c .
- Frequencies f_1 and f_2 fade **independently** if $|f_1 - f_2| \gg B_c$.



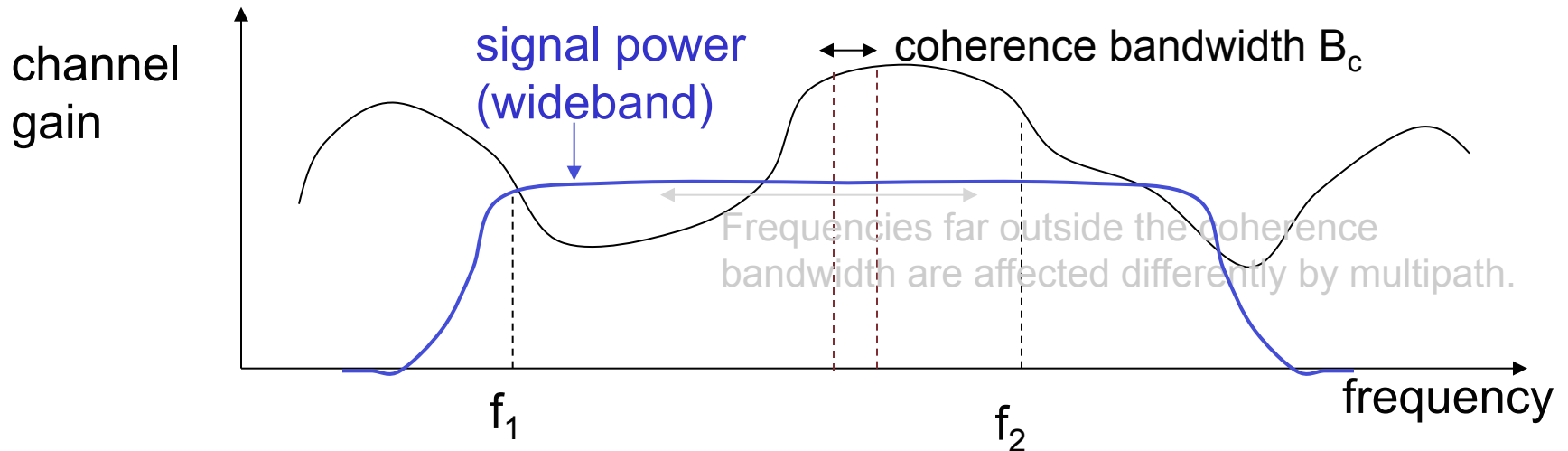
Narrowband Signal



- The signal power is confined within a coherence band.
- **Flat fading:** all signal frequencies are affected the same way.



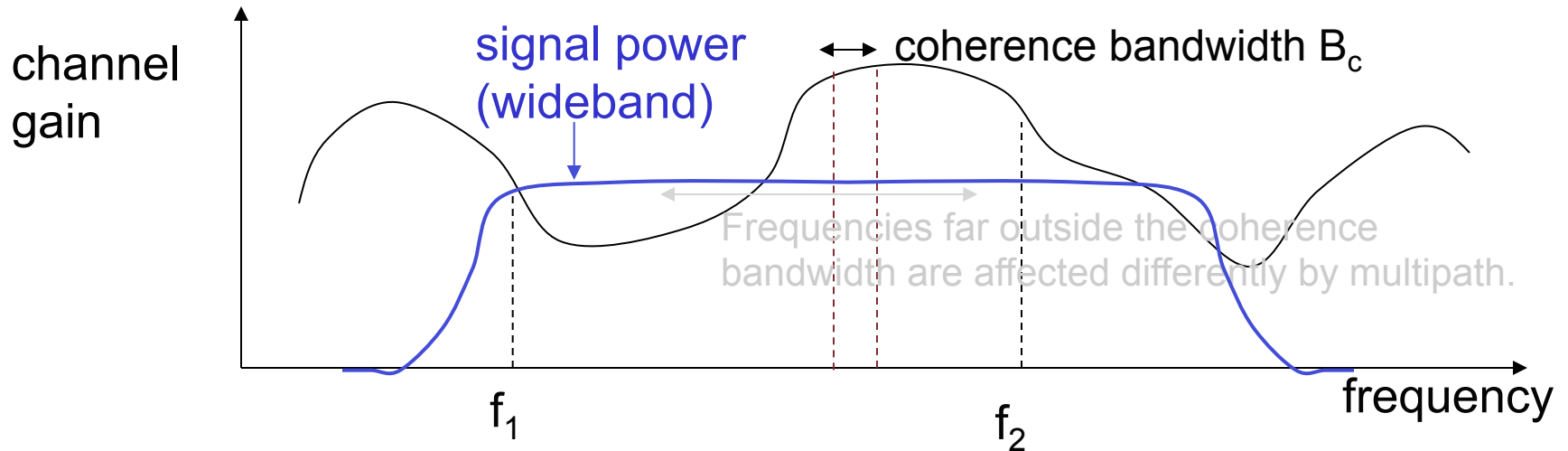
Wideband Signals



- A wideband signal spans **many** coherence bands.
- **Frequency-selective fading**: different parts of the signal (in frequency) are affected differently by the channel.



Frequency Diversity

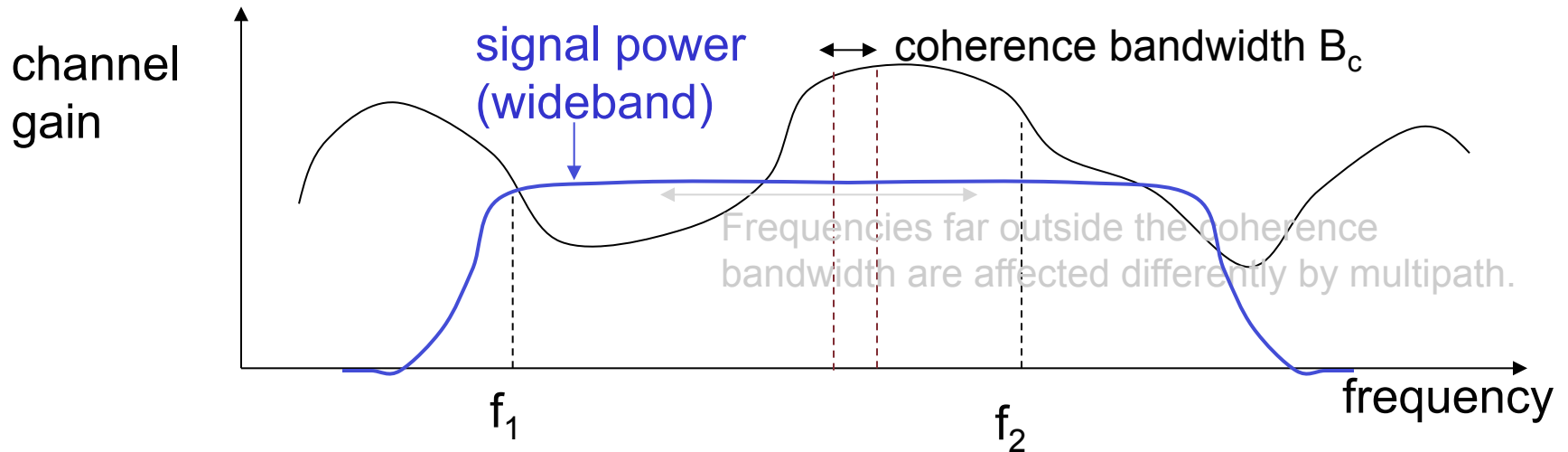


Wideband signals exploit **frequency diversity**.
Spreading power across many coherence bands reduces the chances of severe fading.

Wideband signals are distorted by the channel fading (distortion causes intersymbol interference).



Coherence Bandwidth for Cellular



For the cellular band, B_c is around 100 to 300 kHz.
How does this compare with the bandwidth of cellular systems?

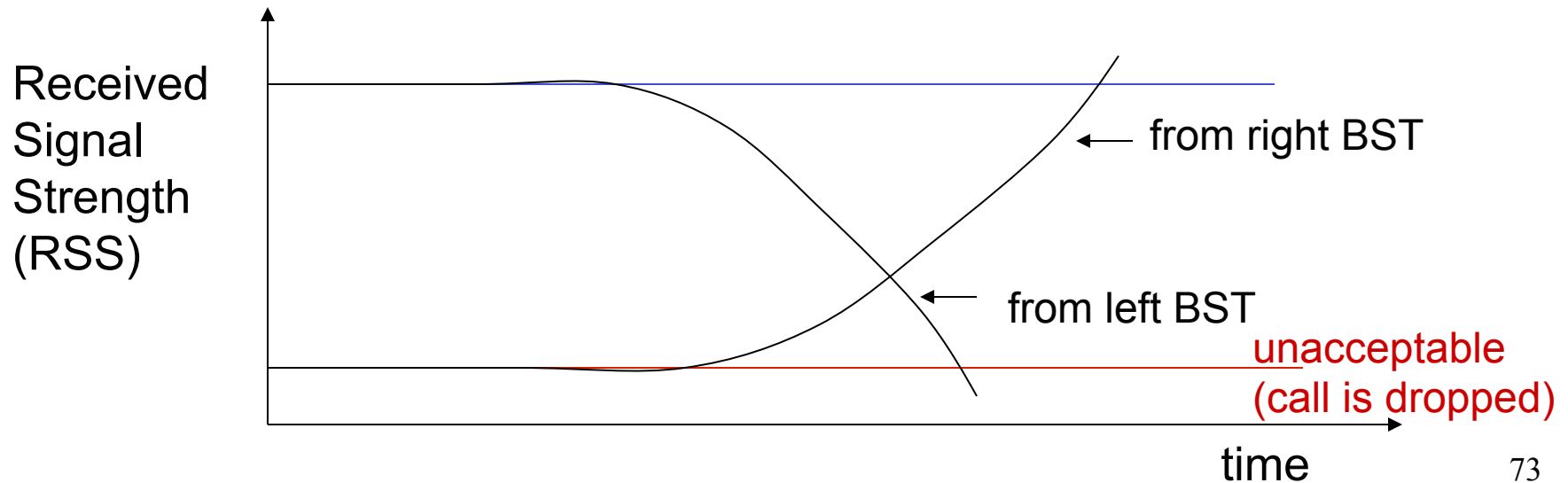
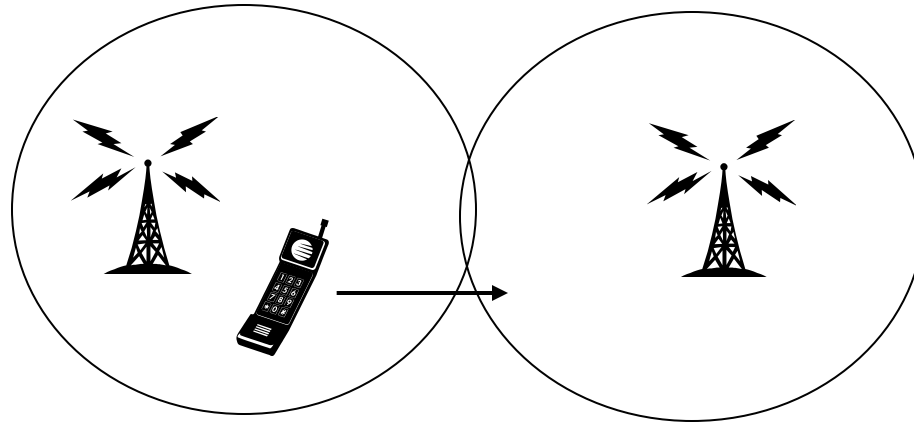


Fading Experienced by Wireless Systems

| Standard | Bandwidth | Fade rate |
|--------------|---------------|-----------------------------------|
| AMPS | 30 kHz (NB) | Fast |
| IS-136 | 30 kHz | Fast |
| GSM | 200 kHz | Slow |
| IS-95 (CDMA) | 1.25 MHz (WB) | Fast |
| 3G | 1.25-5 MHz | Slow to Fast (depends on rate) |
| LTE | up to 20 MHz | Slow |
| 802.11 | > 20 MHz | Slow |
| Bluetooth | > 5 MHz (?) | Slow |

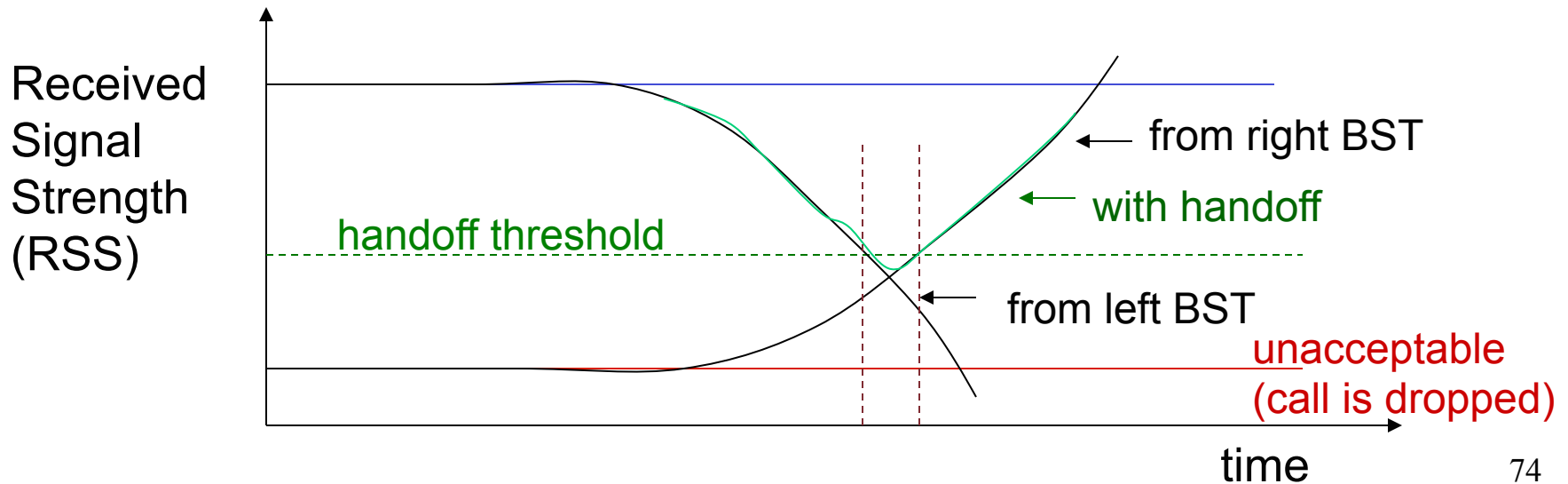
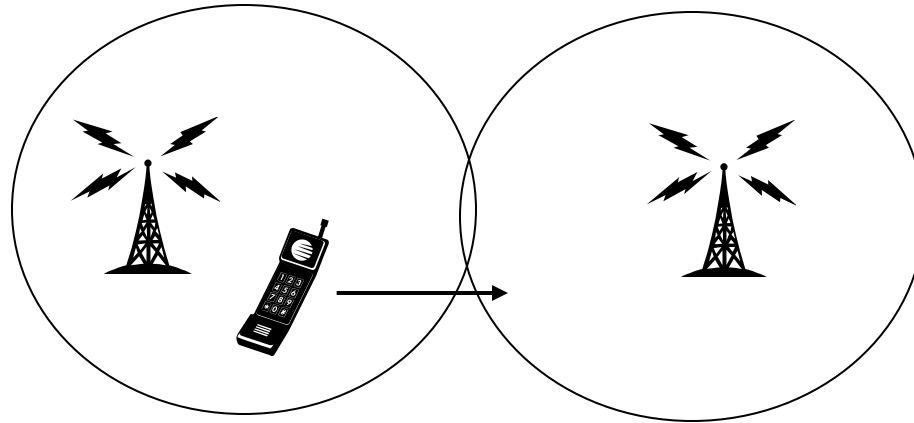


Propagation and Handoff



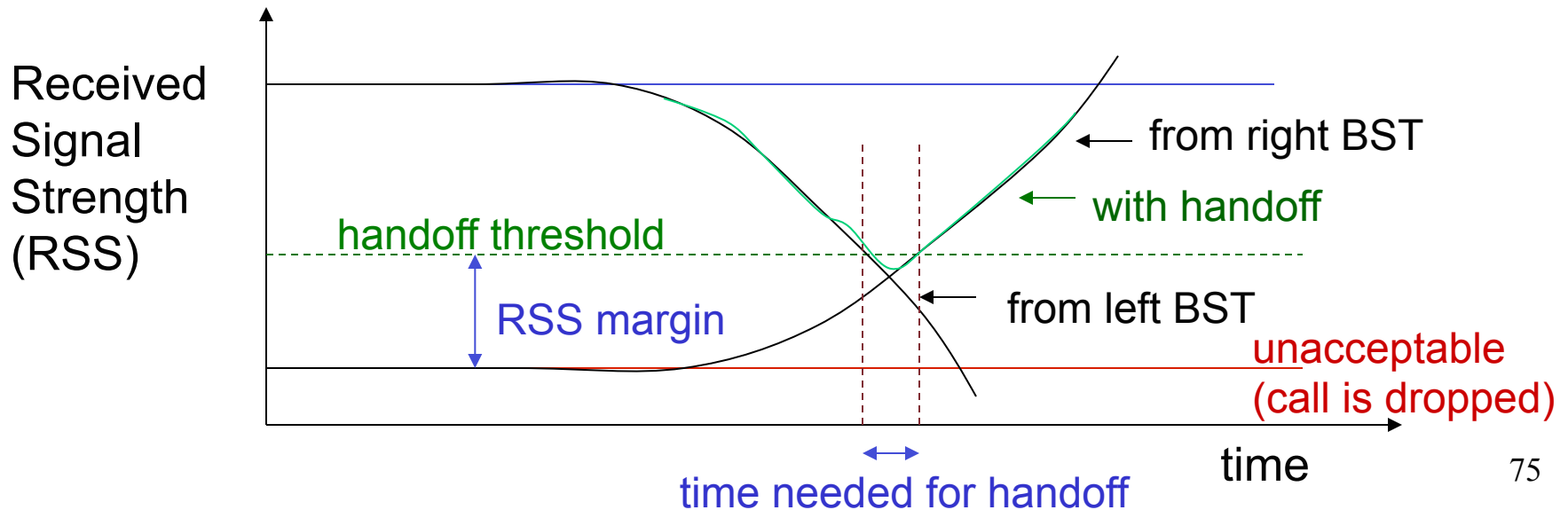
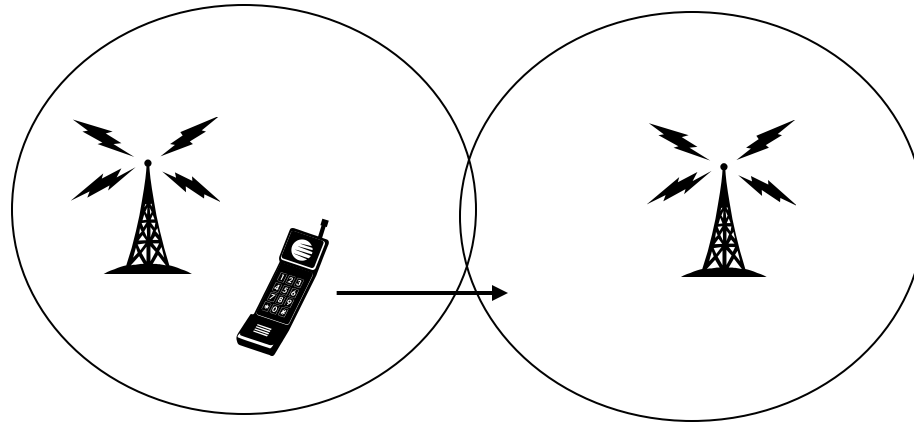


Propagation and Handoff



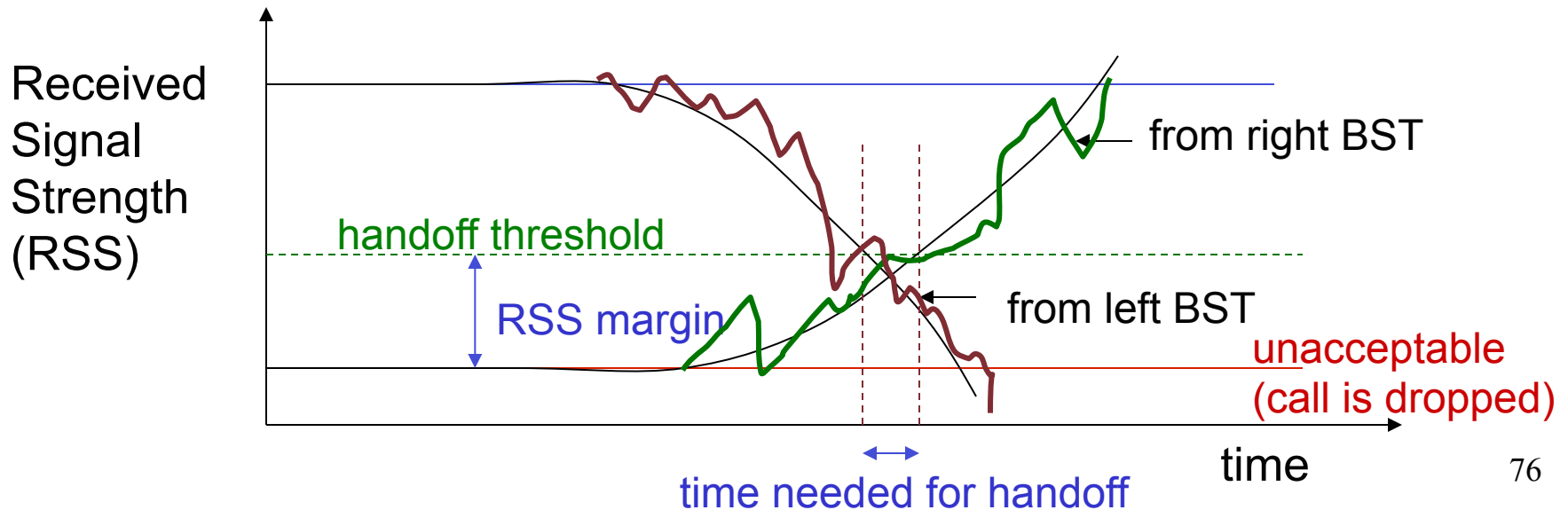
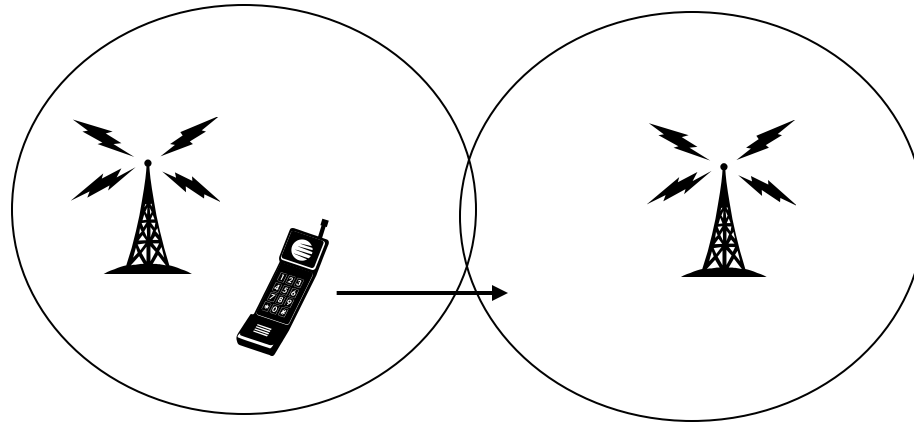


Propagation and Handoff



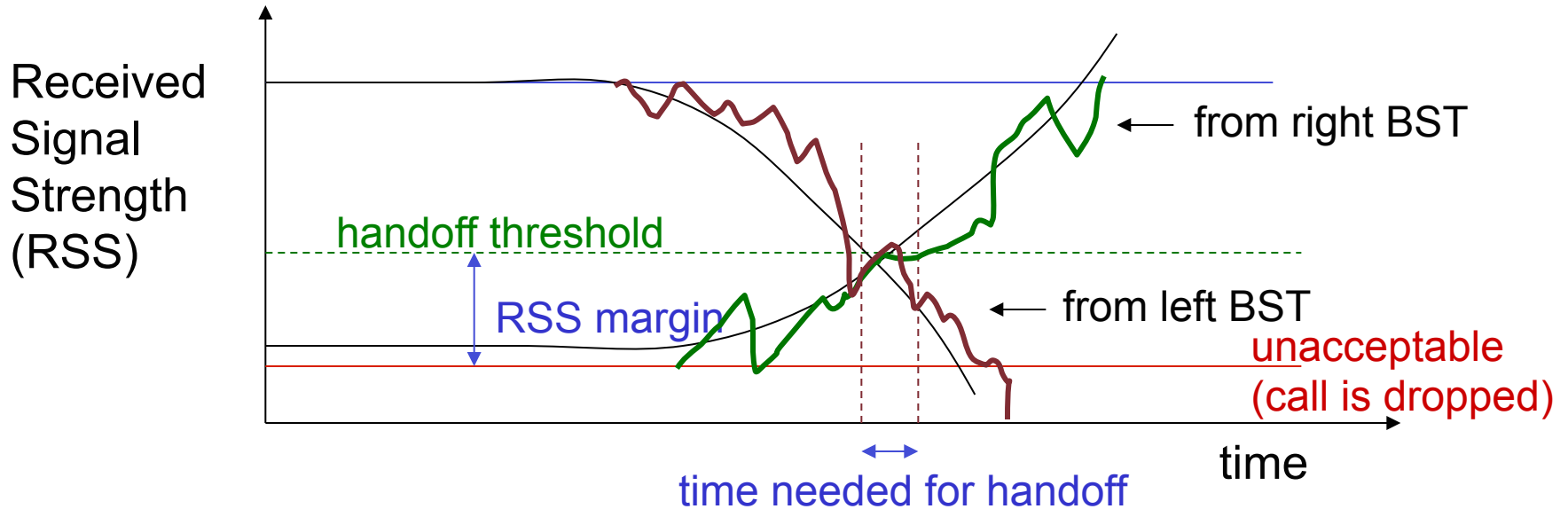


Propagation and Handoff





Handoff Threshold

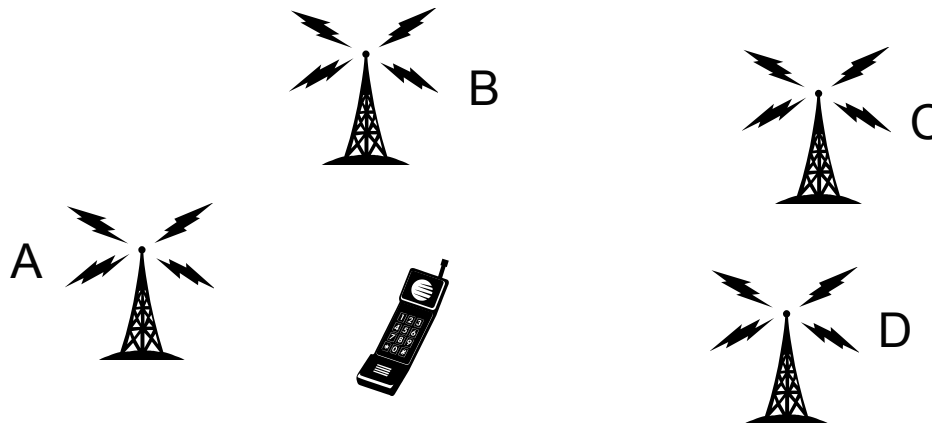


- Handoff threshold too high → too many handoffs (ping pong)
- Handoff threshold too low → dropped calls are likely
- Threshold should depend on slope on vehicle speed (Doppler).



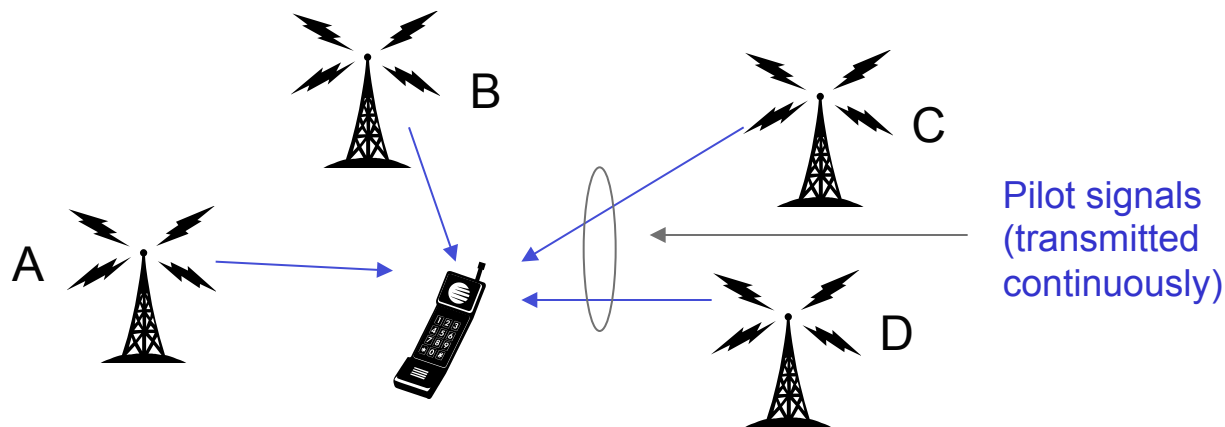
Handoff Measurements (3G)

- Mobile maintains a list of neighbor cells to monitor.
- Mobile periodically measures signal strength from BST pilot signals.
- Mobile sends measurements to network to request handoff.
- Handoff decision is made by network.



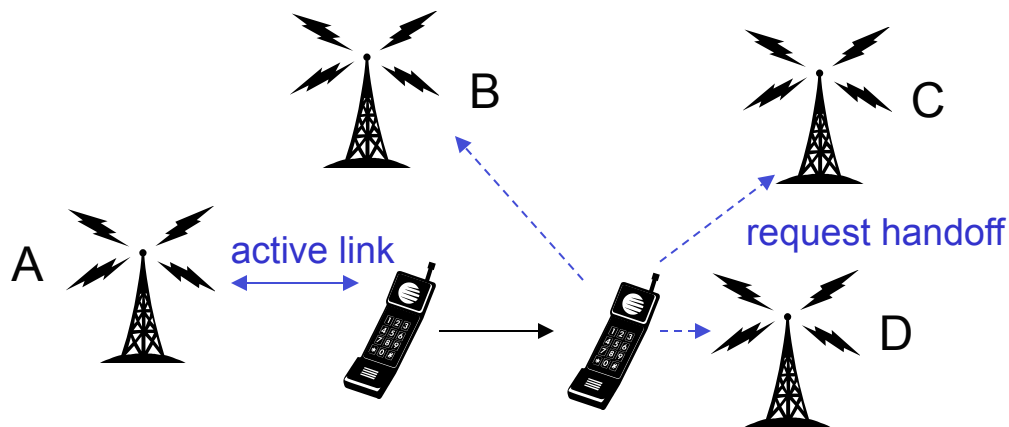
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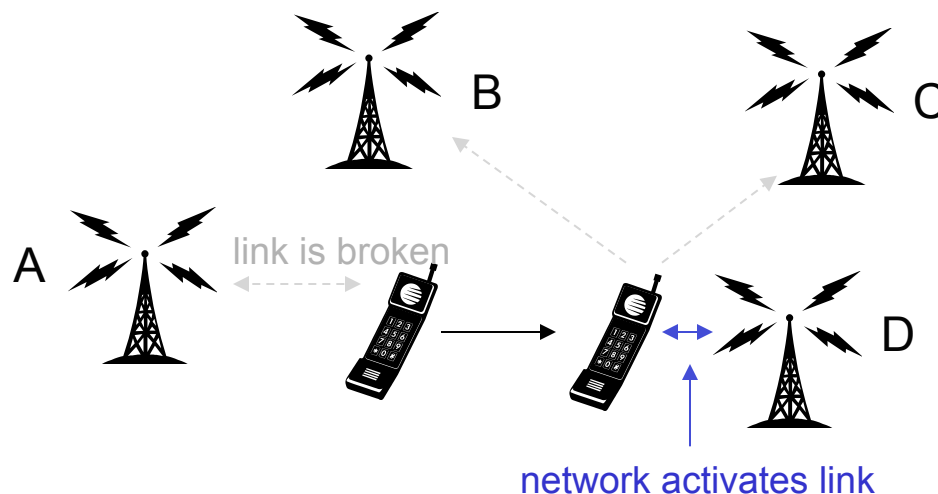
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Handoff Measurements (3G)

- Mobile maintains a list of neighbor cells to monitor.
- Mobile periodically measures signal strength from BST pilot signals.
- Mobile sends measurements to network to request handoff.
- **Handoff decision is made by network.**
 - Depends on available resources (e.g., channels/time slots/codes). Handoffs take priority over new requests (why?).
 - Hysteresis needed to avoid handoffs due to rapid variations in signal strength.

